

10. ANEXOS

Anexo Matemático:

Meade (1974)

Las condiciones de segundo orden para el programa de maximización de la EC monopólica son las siguientes,

$$\frac{\partial^2 R}{\partial X^2} = \frac{\partial V}{\partial X} - W \frac{\partial \lambda}{\partial X} < 0 \text{ y utilizando el resultado de las CPO}$$

$$\frac{\partial^2 R}{\partial X^2} = V \left\{ \frac{1}{V} \frac{\partial V}{\partial X} - \frac{1}{\lambda} \frac{\partial \lambda}{\partial X} \right\} < 0$$

A partir de las CPO se deduce también que,

$$\frac{\partial^2 R}{\partial X \partial \alpha} = \frac{\partial V}{\partial \alpha} \text{ y } \frac{\partial^2 R}{\partial X \partial F} = 0$$

Las condiciones de segundo orden para el caso de una cooperativa monopólica surgen a partir de que,

$$\frac{\partial^2 A}{\partial X^2} = \frac{\partial(V/L)}{\partial X} - \frac{\partial(\lambda A/L)}{\partial X}$$

$$\frac{\partial^2 A}{\partial X^2} = \frac{\frac{\partial V}{\partial X} L - \lambda V}{L^2} - \frac{\left(\frac{\partial \lambda}{\partial X} A + \frac{\partial A}{\partial X} \lambda \right) L - \lambda^2 A}{L^2}$$

$$\frac{\partial^2 A}{\partial X^2} = \frac{\partial V}{\partial X} \frac{1}{L} - \frac{\lambda V}{L^2} - \frac{A}{L} \frac{\partial \lambda}{\partial X} - \frac{\lambda}{L} \frac{\partial A}{\partial X} + \frac{\lambda^2 A}{L^2}$$

$$\frac{\partial^2 A}{\partial X^2} = \frac{1}{L} \left\{ \frac{\partial V}{\partial X} - \lambda \frac{\partial A}{\partial X} - A \frac{\partial \lambda}{\partial X} \right\} - \frac{\lambda}{L^2} \{V - \lambda A\} < 0$$

como $\partial A / \partial X = 0$ y $A = (V/\lambda)$

$$\frac{\partial^2 A}{\partial X^2} = \frac{V}{L} \left\{ \frac{1}{V} \frac{\partial V}{\partial X} - \frac{1}{\lambda} \frac{\partial \lambda}{\partial X} \right\} < 0$$

y también

$$\frac{\partial^2 A}{\partial X \partial \alpha} = \frac{\partial(V/L)}{\partial \alpha} - \frac{\partial(\lambda A/L)}{\partial \alpha}$$

$$\frac{\partial^2 A}{\partial X \partial \alpha} = \frac{\partial V}{\partial \alpha} \frac{1}{L} - \frac{\partial A}{\partial \alpha} \lambda \frac{1}{L} \text{ y como } A = (PX - F)/L$$

$$\frac{\partial^2 A}{\partial X \partial \alpha} = \frac{\partial V}{\partial \alpha} \frac{1}{L} - \frac{\partial P}{\partial \alpha} \frac{X\lambda}{L^2}$$

$$\frac{\partial^2 A}{\partial X \partial \alpha} = \frac{1}{L} \left\{ \frac{\partial V}{\partial \alpha} - \frac{\lambda X}{L} \frac{\partial P}{\partial \alpha} \right\}$$

Steinherr y Thisse (1979)

Demostración (I)

Dado el supuesto de continuidad de $y(L)$ y que $y(L)$ tiende a 0 cuando L tiende a infinito, si existe un valor de L que maximize $y(L)$ lo llamaremos L^* . Sea $\bar{L}(K_0)$ el valor de L para el cual la productividad marginal del trabajo $F'_L(K_0, L)$ aumenta en el intervalo $[0, \bar{L}(K_0)]$ y cae en el intervalo $[\bar{L}(K_0), \infty]$ claramente $\bar{L}(K_0) < L_I$.

Supongamos primero que $L^* \in [0, \bar{L}(K_0)]$. En este caso,

$$V(L^*) = U[y(L^*)](1 - \pi) + U(w)\pi$$

$$V(L^*) = U[y(L^*)] \frac{L^*}{L_0} + U(w) \frac{L_0 - L^*}{L_0}$$

$$V(L^*) = U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + U(w) \frac{L_0}{L_0}$$

$$V(L^*) < U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + U(w) \frac{L_0}{L_0} + \{U[y(L_1)] - U[y(L^*)]\} \frac{L_1}{L_0}$$

ya que $y(L^*) < y(L_I)$

$$\begin{aligned}
V(L^*) &< U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + U(w) \frac{L_0}{L_0} + \{U[y(L_1)] - U(w) - U[y(L^*)] + U(w)\} \frac{L_1}{L_0} \\
V(L^*) &< U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + U(w) \frac{L_0}{L_0} + \{U[y(L_1)] - U(w) - U[y(L^*)] + U(w)\} \frac{L_1}{L_0} \\
V(L^*) &< U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + U[y(L_1)] \frac{L_1}{L_0} + U(w) \frac{L_0}{L_0} - U(w) \frac{L_1}{L_0} + \{-U[y(L^*)] + U(w)\} \frac{L_1}{L_0} \\
V(L^*) &< U[y(L_1)] \frac{L_1}{L_0} + U(w) \frac{L_0 - L_1}{L_0} + U[y(L^*)] \frac{L^*}{L_0} - U(w) \frac{L^*}{L_0} + \{-U[y(L^*)] + U(w)\} \frac{L_1}{L_0} \\
V(L^*) &< U[y(L_1)] \frac{L_1}{L_0} + U(w) \frac{L_0 - L_1}{L_0} + \{U[y(L^*)] - U(w)\} \frac{L^* - L_1}{L_0} \\
V(L^*) &< U[y(L_1)] \frac{L_1}{L_0} + U(w) \frac{L_0 - L_1}{L_0} + \{U[y(L^*)] - U(w)\} \frac{L^* - L_1}{L_0} < U[y(L_1)] \frac{L_1}{L_0} + U(w) \frac{L_0 - L_1}{L_0} = V(L_1) \\
\text{ya que } L^* &< L_1
\end{aligned}$$

$$V(L^*) < V(L_1) \text{ (absurdo)}$$

Supongamos ahora que $L^* \in [\bar{L}(K_0), L_0]$. En este caso L^* debe satisfacer la condición de primer orden:

$$\begin{aligned}
\frac{dV}{dL} &= \frac{d\{U[y(L)](1 - \pi) + U(w)\pi\}}{dL} \\
\frac{dV}{dL} &= \frac{d\left\{U[y(L)]\left(\frac{L}{L_0}\right) + U(w)\left[\frac{(L_0 - L)}{L_0}\right]\right\}}{dL} \\
\frac{dV}{dL} &= \frac{d\left\{U[y(L)]\left(\frac{L}{L_0}\right)\right\}}{dL} + \frac{d\left\{U(w)\left[\frac{(L_0 - L)}{L_0}\right]\right\}}{dL} \\
\frac{dV}{dL} &= \frac{dU[y(L)]}{dL} \frac{L}{L_0} + \frac{U[y(L)]}{L_0} - \frac{U(w)}{L_0} \\
\frac{dV}{dL} &= \frac{d\{[pF(K_0, L) - rK]/L\}}{dL} \frac{U'[y(L)]L}{L_0} + \frac{U[y(L)] - U(w)}{L_0} \\
\frac{dV}{dL} &= \frac{pF'(K_0, L)L - pF(K_0, L) + rK}{L^2} \frac{U'[y(L)]L}{L_0} + \frac{U[y(L)] - U(w)}{L_0} \\
\frac{dV}{dL} &= \frac{pF'(K_0, L)L - pF(K_0, L) + rK}{L} \frac{U'[y(L)]}{L_0} + \frac{U[y(L)] - U(w)}{L_0}
\end{aligned}$$

$$\frac{dV}{dL} = \frac{pF'(K_0, L)L - pF(K_0, L) + rK}{L} \frac{U'[y(L)]}{L_0} + \frac{U[y(L)] - U(w)}{L_0}$$

$$\frac{dV}{dL} = [pF'(K_0, L) - y(L)] \frac{U'[y(L)]}{L_0} + \frac{U[y(L)] - U(w)}{L_0}$$

$$[pF'(K_0, L^*) - y(L^*)] \frac{U'[y(L^*)]}{L_0} + \frac{U[y(L^*)] - U(w)}{L_0} = 0$$

Ahora como $L^* < L_0$ y $F'_L(K_0, L)$ es decreciente en $[\bar{L}(K_0), L_0]$ entonces $p_1 F'_L(K_0, L^*) > p_0 F'_L(K_0, L_0) = w$.

Por lo tanto, si $[pF'(K_0, L^*) - y(L^*)]U'[y(L^*)] + U[y(L^*)] - U(w) = 0$, entonces $[w - y(L^*)]U'[y(L^*)] + U[y(L^*)] - U(w) < 0$ lo que contradice los supuestos de partida, ya que como $w < y(L^*)$ esto implicaría que la función de utilidad U no sea cóncava.

Para verlo alcanza con plantearse un punto $c = [(b-c)/(b-a)]a + [1 - (b-c)/(b-a)]b$ ubicado entre dos puntos a y b de modo que $a < c < b$ los tres pertenecientes al recorrido de una función U . Para que U sea cóncava debe cumplirse que:

$$\frac{U(b) - U(a)}{(b-a)} \geq \frac{U(b) - U(c)}{(b-c)} \text{ de modo que } U(b) - U(a) \geq (b-a) \frac{U(b) - U(c)}{(b-c)}$$

y si $c \rightarrow b$ esto implica que $U(b) - U(a) \geq (b-a)U'(b)$. Ahora, sustituyendo b por w y a por $y(L^*)$ podemos ver que no se cumplen las condiciones de concavidad.

Supongamos ahora en tercer lugar que $L^* \in [L_0, \infty]$. Ahora como $F'_L(K_0, L)$ es decreciente en este intervalo y $y(L)$ también lo es, entonces, como $L_1 < L_0 < L^*$ tenemos que $V(L^*) < V(L_0)$ lo que también es otra contradicción.

En último lugar, como L^* existe se llega necesariamente que $L^* = L_0$.

Demostración (2)

Siguiendo un razonamiento similar al de la demostración anterior se muestra que L^{**} , el valor de L que maximiza $V(L)$, debe pertenecer al entorno $[\bar{L}(K_0), L_0]$ y por lo tanto de verificar las condiciones de primer orden.

$$\begin{aligned}
\frac{dV}{dL} &= \frac{d\left\{y(L) - [y(L_0) - w]\frac{(L_0 - L)}{L}\right\}}{dL} \\
\frac{dV}{dL} &= \frac{d[y(L)]}{dL} - \frac{d\left\{[y(L_0) - w]\frac{(L_0 - L)}{L}\right\}}{dL} = \frac{d[y(L)]}{dL} + \frac{[y(L_0) - w]L_0}{L^2} \\
\frac{dV}{dL} &= \frac{d\{[pF(K_0, L) - rK]/L\}}{dL} + \frac{[y(L_0) - w]L_0}{L^2} \\
\frac{dV}{dL} &= \frac{pF'(K_0, L)L - pF(K_0, L) + rK}{L^2} + \frac{[y(L_0) - w]L_0}{L^2} \\
\frac{dV}{dL} &= \frac{pF'(K_0, L)}{L} - \frac{pF(K_0, L) - rK}{L^2} + \frac{[y(L_0) - w]L_0}{L^2} \\
\frac{dV}{dL} &= \frac{1}{L} \left\{ pF'(K_0, L) - \frac{pF(K_0, L) - rK}{L} + \frac{[y(L_0) - w]L_0}{L} \right\} \\
\frac{dV}{dL} &= \frac{1}{L} \left\{ pF'(K_0, L) - y(L) + \frac{[y(L_0) - w]L_0}{L} \right\} \\
\frac{1}{L^{**}} \left\{ pF'(K_0, L^{**}) - y(L^{**}) + \frac{[y(L_0) - w]L_0}{L^{**}} \right\} &= 0
\end{aligned}$$

Repitiendo el procedimiento de la demostración anterior se llega a que $p_L F'_L(K_0, L^{**}) > w$

$$\begin{aligned}
\frac{1}{L^{**}} \left\{ w - y(L) + \frac{[y(L_0) - w]L_0}{L^{**}} \right\} &< 0 \\
L^{**}w - L^{**}y(L) + [y(L_0) - w]L_0 &< 0 \\
L^{**}w - L^{**}y(L) + L_0 y(L_0) - L_0 w &< 0 \\
L_0 y(L_0) - L_0 w + L_0 w - L^{**}y(L) + L^{**}w - L_0 w &< 0 \\
L_0 y(L_0) + (L_0 - L^{**})w - L^{**}y(L) - (L_0 - L^{**})w &< 0
\end{aligned}$$

Si se define $Y(L) = Ly(L) + (L_0 - L)w$ se llega a que,

$$Y(L_0) - Y(L^{**}) < 0 \text{ y por lo tanto } Y(L_0) < Y(L^{**})$$

Considerando el maximizando de $Y(L)$ en $[0, L_0]$, $\hat{L}$. Si $\hat{L} \in [0, L_0]$ se tendrá que $p_L F'_L(K_0, \hat{L}) = w$, ya que $dY(L)/dL = y(L) + p_L F'_L(K_0, L) - y(L) - w$.

Como $p_1 F'_L(K_0, L) > p_0 F'_L(K_0, L)$ para todo L se llega a que $\hat{L} \geq L_0$, y dado que $p_0 F'_L(K_0, L_0) = w = p_1 F'_L(K_0, \hat{L}) > p_0 F'_L(K_0, \hat{L})$ y que $\hat{L} \in [0, L_0]$ entonces $\hat{L} = L_0$.

Sabiendo que $Y(L)$ es estrictamente cóncava en $[L(K_0), L_0]$, $\hat{L} = L_0$ será su nivel óptimo de modo que $Y(L^{**}) < Y(L_0) = Y(\hat{L})$ lo que contradice el desarrollo anterior, completándose la demostración.

Bonin (1981)

Proposición 1

Formalmente, la proposición implica que si $y^*(p_0) = y(p_0, L_0) = y_0$, se tiene que $Y(p_1, L_0, L_0) > Y(p_1, L', L_0)$ con $p_1 > p_0$, donde $L_0 > L' = \max_L y(p_1, L)$.

Demostración

Se considera $Y(p, L, L_0)$ para cualquier nivel de L , admitiendo incluso $L > L_0$. Se define $\hat{L}$ como la solución del problema $\max_L Y(p_1, L, L_0)$.

Sabiendo que $Y = L \cdot y(p_1, L) + (L_0 - L)y_0$, tenemos que la condición de primer orden supone que:

$$\begin{aligned} \frac{\partial Y}{\partial L} &= y + L \cdot \frac{\partial y}{\partial L} - y_0 = 0 \Rightarrow \\ \Rightarrow \frac{(p_1 \cdot Q - R)}{L} + L \left[\frac{p_1 \cdot (\partial Q / \partial L) \cdot L - (p_1 \cdot Q - R)}{L^2} \right] &= y_0 \Rightarrow \frac{(p_1 \cdot Q - R)}{L} + \left[p_1 \cdot Q_L - \frac{(p_1 \cdot Q - R)}{L} \right] = y_0 \Rightarrow \\ \Rightarrow p_1 \cdot Q_L &= y_0. \end{aligned}$$

La condición de segundo orden supone, bajo el supuesto de productividad marginal del trabajo decreciente, que:

$$\frac{\partial^2 Y}{\partial L^2} = p_1 \cdot Q_{LL} < 0,$$

por lo que la solución $\hat{L}$ es única y Y es estrictamente cóncava en L .

Puede verse que $p_1 \cdot Q_L > p_0 Q_L$ para todo L y sabiendo que $p_0 Q_{L_0} = y_0$, dado $y_0 = y^*(p_0)$, tenemos que $p_1 Q_L > y_0$ para $L \leq L_0$ y $Y(p_1, L, L_0) > Y(p_1, L', L_0)$, ya que $\frac{\partial Y(\cdot)}{\partial L} = Y_L(p_1, L, L_0) = p_1 Q_L - y_0 > 0$ para $L \leq L_0$ y $L' < L_0$. En definitiva, como la función Y es creciente en L hasta la solución $\hat{L}$ donde alcanza un máximo y $L' < L_0$, se comprueba la Proposición 1. De esta forma, la cooperativa encuentra racional no reducir el empleo frente a un incremento del precio del output ya que en el caso de hacerlo, si esta opción fuera institucionalmente factible, el ingreso total de los miembros sería menor.

Punto de cierre

El punto de cierre será el mismo para ambos tipos de empresa. Aunque todos los miembros decidan disolver la cooperativa y procurarse una actividad alternativa para obtener y_0 , serán responsables de todas formas de una proporción idéntica de los costos fijos. Por lo tanto, cuando la firma cooperativa es disuelta el ingreso neto por trabajador a corto plazo es igual a $y_0 - \frac{R}{L_0}$.

La cooperativa no se disolverá mientras se cumpla que:

$$\frac{Y(p, \bar{L}, L_0)}{L_0} \geq y_0 - \frac{R}{L_0}$$

El precio de cierre p_m será aquel que iguala la ecuación anterior. Considerando $Y(p, \bar{L}, L_0) = \bar{L} \cdot y(p, \bar{L}) + (L_0 - \bar{L})y_0$ y que $y = (p \cdot Q - R) / L$, tenemos que:

$$\begin{aligned} \frac{\bar{L} \cdot y(p, \bar{L}) + (L_0 - \bar{L})y_0}{L_0} &= y_0 - \frac{R}{L_0} \Rightarrow \\ \Rightarrow \frac{\bar{L} \left[\frac{p_m \cdot Q(\bar{L}) - R}{\bar{L}} \right] + (L_0 - \bar{L})y_0}{L_0} &= y_0 - \frac{R}{L_0} \Rightarrow \frac{p_m \cdot Q(\bar{L}) - R + L_0 \cdot y_0 - \bar{L}y_0}{L_0} = \frac{L_0 \cdot y_0 - R}{L_0} \Rightarrow \end{aligned}$$

En una economía conformada por empresas capitalistas, existe un ingreso alternativo w -

asimilable al salario de mercado vigente- análogo a y_0 en una economía perfectamente competitiva conformada por empresas cooperativas. Por tanto, sustituyendo $y_0 = w$ se obtiene que:

$$p_m \cdot Q(L) - R - w \cdot L = \pi = -R$$

La cooperativa seguirá funcionando, incluso incurriendo en pérdidas, hasta el momento en que ya no pueda cubrir los costos fijos, condición equivalente a la de una empresa capitalista de competencia perfecta maximizadora de beneficios.

Anexo 2: Construcción del Indicador de Sindicalización

El grado de sindicalización de las distintas ramas de actividad se definió como el cociente entre el número de trabajadores afiliados y el número de asalariados ocupados totales en las ramas estudiadas. Las series se construyeron siguiendo los criterios habituales utilizados en Cassoni et al (2003) y recientemente tomados en Casacuberta et al (2005) para el caso de la industria manufacturera.

Los datos de afiliación corresponden a los reportes de los congresos del PITCNT. Por otro lado, los datos de ocupación se obtienen corrigiendo los datos del BPS con la Encuesta Continua de Hogares, en la medida que los datos del BPS reportan solamente el número de asalariados formales. Se entiende que la existencia de un subsector informal dentro de cada rama afecta negativamente la capacidad del sindicato para lograr que los acuerdos negociados sean vinculantes para todas las empresas y trabajadores de la rama y, además, debilita la efectividad de las propias medidas de lucha. Debe tenerse en cuenta que el procedimiento de matching afiliados-ramas a este nivel de desagregación es particularmente complejo en la medida que varios sindicatos operan en distintas ramas de actividad simultáneamente, mientras hay ramas donde opera más de un sindicato.

También se construyó un indicador de sindicalización a partir de la Encuesta Nacional Ampliada de Hogares 2006, dado que uno de sus módulos incorpora una pregunta específica. Sin embargo, se descartó su utilización ya que en dicho año las características de la incidencia de los sindicatos en las ramas fueron muy distintas a las del período considerado en este trabajo. En particular, la reinstauración de los Consejo de Salarios y otros cambios institucionales en el mercado de trabajo a partir del año 2005 llevaron a un crecimiento de la cantidad de afiliados al PIT-CNT en el sector privado.

A partir del indicador elegido se clasificó a las ramas en 4 grupos (baja, medio baja, medio alta y alta sindicalización), a partir de tramos conformados en el entorno de la tasa de sindicalización media para las ramas de la base. La clasificación de las ramas se detalla a continuación

rama	tasa de sindicalización
311	medio alta
312	medio baja
313	alta
321	medio baja
322	baja
324	medio baja
342	medio baja
355	alta

369	medio alta
371	alta
384	alta
390	alta
520	alta
571	alta
621	medio baja
628	medio baja
629	medio baja
631	baja
711	medio baja
712	baja
721	medio alta
832	baja
921	baja
929	baja
931	medio baja
932	baja
933	alta
934	baja
935	baja
951	baja
959	baja

Anexo 3: Construcción del Índice de Precios Relativos

Para estimar como reaccionan las empresas a los cambios de coyuntura se incluyó como variable explicativa al precio del output. Para elaborar una serie de precios para cada una de las 31 ramas a considerar se utilizaron en general los componentes del IPC asociados a la rama correspondiente y los componentes del IPPN cuando no se disponía del primero, particularmente en el caso de empresas industriales que producen bienes intermedios. Una vez asociada una serie de índice de precios para cada rama, estos se dividieron respecto al nivel general del IPC para obtener un indicador de precios relativos.

En el caso del IPPN, se empalmaron las series con el IPM (base = enero 1988) ya que el primero no abarcaba todo el período considerado, comenzando en agosto de 2001. Esto implicó algunas dificultades con el matcheo de las series ya que algunas de las ramas consideradas en esta investigación tienen diferentes niveles de desagregación en cada uno de los dos índices mencionados. En algunos casos, el IPPN desagrega algunas ramas que estaban unificadas en el IPM, mientras agrega otras que estaban desagregadas.

En el caso del IPC, hubo que empalmar dos grupos de series, una elaborada por el INE con base 97 y la otra con base 83, ya que la primera no abarcaba todo el período considerado. Sin embargo, en este caso las consecuencias sobre la calidad de la información son menores debido a que el índice con base 97 solo excluye 10 meses del período considerado.

Anexo 4: Cuadros descriptivos de la distribución de las empresas de la base de datos

cantidad de ec según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	9978	10348	10303	10160	9952	9641	9115	8612	8726	9022
6a19	3384	3508	3465	3502	3440	3353	3148	3049	3191	3469
20a100	1145	1211	1271	1261	1219	1261	1195	1105	1206	1373
mas de 100	277	289	298	290	317	309	314	352	273	307
Total	14784	15356	15337	15213	14928	14564	13772	13118	13396	14171

cantidad de cta según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	1	2	1	2	2	2	6	9	6	10
6a19	132	132	143	142	139	140	137	139	141	149
20a100	10	11	10	10	11	12	15	15	22	22
mas de 100	8	9	7	7	7	11	11	11	11	12
Total	151	154	161	161	159	165	169	174	180	193

cantidad de ocp según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	53	46	47	49	61	59	52	52	59	58
6a19	36	40	38	45	37	41	38	38	31	33
20a100	43	52	51	41	40	30	23	26	31	36
mas de 100	19	18	23	24	22	25	18	18	18	13
Total	151	156	159	159	160	155	131	134	139	140

cantidad de ec según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
3	4026	4097	4028	3881	3662	3489	3255	3077	3087	3155
5	234	262	267	274	276	285	278	256	247	245
6	4340	4509	4317	4162	3964	3783	3462	3125	3150	3326
7	2316	2448	2600	2689	2760	2741	2704	2754	2908	3170
8	1418	1501	1569	1624	1653	1667	1602	1550	1612	1747
9	2450	2539	2556	2583	2613	2599	2471	2356	2392	2528
Total	14784	15356	15337	15213	14928	14564	13772	13118	13396	14171

cantidad de cta según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1	4	5	3	2	1	1				
3	29	31	30	28	28	28	30	29	33	35
5	2	1	2	4	4	5	5	3	3	5
6	2	2	3	3	4	3	3	4	5	5
7	98	98	100	99	95	95	95	95	89	87
8	2	2	2	2	2	3	4	4	4	8
9	14	15	21	23	25	30	32	39	46	53
Total	151	154	161	161	159	165	169	174	180	193

cantidad de ocp según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
0								1	1	1
1	11	18	17	12	7	5	3	1	1	1
3	23	25	23	22	22	22	19	22	23	24
5	1							1	1	1
6	15	14	11	11	12	11	8	4	5	5
7	23	20	18	19	20	21	20	19	18	16
8	10	8	8	9	8	10	7	8	8	10
9	68	71	82	86	91	86	74	78	82	82
Total	151	156	159	159	160	155	131	134	139	140

Anexo 5: Cuadros descriptivos de la distribución del empleo de la base de datos

cantidad de ocupados en ec según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	24165	25311	25227	24941	24478	23727	22325	20985	21624	22803
6a19	34387	35937	35558	35846	35227	34103	32026	31113	32977	35934
20a100	44299	47058	49170	49065	47492	49603	47084	43497	47583	53562
mas de 100	68240	72413	74741	73449	75043	72250	70146	64168	69948	83618
Total	171091	180719	184696	183301	182241	179682	171582	159762	172133	195916

cantidad de ocupados en cta según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	4	10	2	10	10	9	31	39	25	44
6a19	1293	1279	1365	1376	1355	1325	1251	1248	1264	1350
20a100	409	386	399	449	439	515	644	698	855	939
mas de 100	2835	2931	2630	2472	2458	2710	2518	2641	2637	2846
Total	4541	4606	4395	4307	4262	4559	4443	4626	4781	5178

cantidad de ocupados en ocp según tamaño										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	147	133	146	151	191	185	155	159	172	184
6a19	355	444	406	496	420	474	419	420	336	362
20a100	1666	2129	2086	1603	1768	1153	842	1003	1202	1371
mas de 100	5696	6796	7891	7867	8160	7101	5653	4943	5517	5514
Total	7864	9502	10528	10117	10539	8913	7070	6526	7227	7431

cantidad de ocupados en ec según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
3	71652	71885	70748	66270	63501	59841	54656	51773	56369	62839
5	1753	2005	2031	2113	2235	2286	2184	1972	2033	2405
6	30915	34344	35465	36212	36802	37178	35284	31813	34130	37861
7	21183	22294	22943	23641	24162	24760	26345	23702	26415	31684
8	17671	20215	23211	23606	23771	23204	21680	20484	21501	25598
9	27918	29975	30298	31460	31771	32413	31433	30019	31684	35530
Total	171091	180719	184696	183301	182241	179682	171582	159762	172133	195916

cantidad de ocupados en cta según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1	235	274	59	17	11	11				
3	552	569	563	462	390	348	355	367	606	753
5	17	10	17	41	44	52	47	27	18	35
6	99	125	68	71	111	150	67	80	61	47
7	3396	3377	3396	3382	3345	3372	3283	3181	3126	3085
8	13	13	13	13	13	86	139	141	135	235
9	230	237	278	321	348	540	552	830	834	1022
Total	4541	4606	4395	4307	4262	4559	4443	4626	4781	5178

cantidad de ocupados en ocp según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
0								1	1	1
1	347	531	494	387	231	42	15	3	4	3
3	975	991	995	1050	1128	967	928	962	904	1123
5	2							7	1	17
6	96	787	136	137	128	273	258	23	20	22
7	508	467	375	382	374	390	332	290	250	262
8	34	25	31	32	28	27	15	116	161	67
9	5903	6701	8499	8129	8651	7215	5521	5125	5886	5936
Total	7864	9502	10528	10117	10539	8913	7070	6526	7227	7431

Anexo 6: Cuadros descriptivos de los niveles salariales promedio de los trabajadores de la base de datos

remuneraciones por trabajador en ec a precios constantes de 12/2005 según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
3	9946	10015	9897	9742	9644	8992	8225	8024	8017	8267
5	8304	8887	8402	8363	7906	7800	7088	6455	6152	6441
6	6798	6671	6781	6640	6529	6403	5689	4889	4761	5148
7	11296	11262	11009	10942	10971	10470	8379	7709	7247	7115
8	7776	7490	7388	7930	8185	7999	7664	6732	6333	6587
9	8620	8364	7886	7762	7486	7245	6265	5187	4858	5092
Total	9098	8999	8804	8720	8617	8216	7296	6655	6451	6678

remuneraciones por trabajador en cta a precios constantes de 12/2005 según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1	8849	7085	12447	7741	7697	682				
3	3406	3153	2372	2376	2843	2836	2515	2458	2658	3103
5	13575	19134	14485	9572	8915	7642	6331	6183	7047	6249
6	5443	7277	6764	7175	7029	7263	6166	3572	2587	3055
7	17646	18017	18649	18711	18394	18034	15789	13440	13752	14948
8	2869	2603	1528	2414	3003	3102	2031	2072	2076	2696
9	4767	3537	3442	3616	3393	3643	3632	2963	3273	3543
Total	14758	14784	15408	15919	15639	15188	12851	10322	10349	10448

remuneraciones por trabajador en ocp a precios constantes de 12/2005 según rama ciu 1 dig										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1	17388	11803	12160	9253	10305	11181	3952	5194	3981	4606
3	7866	7815	6906	6707	6109	4669	3956	3456	3223	4255
5	3940							2683	457	3075
6	7508	8661	12766	8883	6125	7867	8169	1991	1790	1806
7	10195	9640	9083	8549	7995	7544	6415	5539	5898	6527
8	3660	3134	2913	3039	3347	4707	4008	3888	2496	2358
9	18392	17264	18298	17480	16024	14801	12568	10246	10919	12083
Total	16343	15090	16250	15385	14238	13140	11025	8951	9496	10615

remuneraciones por trabajador en ec a precios constantes de 12/2005 según tamaño de empresa										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	4778	4673	4682	4716	4724	4550	4171	3548	3420	3880
6a19	6028	5900	5837	5896	5827	5698	4968	4537	4443	4758
20a100	9291	9209	9130	9135	9017	8589	7791	7132	6744	6992
mas de 100	11798	11580	11129	10915	10700	10114	8811	8156	7937	7912
Total	9098	8999	8804	8720	8617	8216	7296	6655	6451	6678

remuneraciones por trabajador en cta a precios constantes de 12/2005 según tamaño de empresa										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	1644	2381	5479	5600	6631	3211	2056	3340	3331	2867
6a19	6561	6387	6283	6214	6254	5983	4830	3681	3424	3913
20a100	6085	5170	3765	2901	3207	3221	2970	2711	2545	3619
mas de 100	19202	19633	21175	22161	22070	21883	18285	14813	16006	15574
Total	14758	14784	15408	15919	15639	15188	12851	10322	10349	10448

remuneraciones por trabajador en ocp a precios constantes de 12/2005 según tamaño de empresa										
	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005
1a5	4591	4538	4930	5070	4782	4600	3709	3042	2947	3490
6a19	6457	6348	5153	5070	4697	4685	3849	3511	3357	3557
20a100	11587	10981	11552	10337	10563	8397	6403	4782	4467	4900
mas de 100	18599	17419	18579	17444	15919	14775	12456	10417	11136	12605
Total	16343	15090	16250	15385	14238	13140	11025	8951	9496	10615

Anexo 7: Salidas de Stata para el modelo de determinación del nivel de salarios

```
. xtreg w12 w12_1 lnpl2 lnpl2coo cta, fe robust
```

```
Fixed-effects (within) regression      Number of obs   =    862414
Group variable (i): i                 Number of groups =    16841

R-sq:  within  = 0.4431                Obs per group: min =      1
      between  = 0.6468                  avg   =    51.2
      overall  = 0.4811                  max   =   104

                                         F(3,845570)      =   24441.49
corr(u_i, Xb)  = 0.2155                 Prob > F         =    0.0000
```

```
-----+-----
            |               Robust
            |               Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      w12 |               Coef.
-----+-----
      w12_1 |      .67065      .002496   268.69   0.000      .6657579      .6755421
      lnpl2 |      .0683169    .0043392   15.74   0.000      .0598121      .0768216
      lnpl2coo |      .0361578    .0372871     0.97   0.332     -.0369237      .1092393
      cta |      (dropped)
      _cons |     -.0141529    .0003223   -43.91   0.000     -.0147847     -.0135211
-----+-----
      sigma_u |      .16109656
      sigma_e |      .28817207
      rho |      .23810306   (fraction of variance due to u_i)
-----+-----
```

```
. est store fijo
```

```
. lincom lnpl2 + lnpl2coo
```

```
( 1)  lnpl2 + lnpl2coo = 0
```

```
-----+-----
            |               Coef.      Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      (1) |      .1044747    .0370332     2.82   0.005      .0318908      .1770585
-----+-----
```

```
. xtreg w12 w12_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 lnpl2 lnpl2coo cta, re
robust
```

```
Random-effects GLS regression                Number of obs      =    862414
Group variable (i): i                       Number of groups   =     16841
```

```
R-sq:  within = 0.4431                      Obs per group: min =         1
        between = 0.6461                      avg =       51.2
        overall = 0.4810                      max =      104
```

```
Random effects u_i ~ Gaussian                Wald chi2(12)       =   76792.65
corr(u_i, X) = 0 (assumed)                  Prob > chi2         =    0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12							
w12_1		.6759202	.0024606	274.70	0.000	.6710976	.6807429
tramo2		-.0109148	.0014341	-7.61	0.000	-.0137257	-.0081039
tramo3		-.014783	.0024851	-5.95	0.000	-.0196536	-.0099123
tramo4		-.0308806	.0062755	-4.92	0.000	-.0431805	-.0185808
r3		-.0004591	.0054624	-0.08	0.933	-.0111651	.010247
r5		-.0020708	.021523	-0.10	0.923	-.0442552	.0401136
r6		-.0099909	.0048479	-2.06	0.039	-.0194925	-.0004892
r7		-.003414	.005136	-0.66	0.506	-.0134804	.0066524
r9		.00187	.0049727	0.38	0.707	-.0078763	.0116164
lnpl2		.0687597	.0043068	15.97	0.000	.0603186	.0772009
lnpl2coo		.0214826	.0368513	0.58	0.560	-.0507446	.0937099
cta		.0104819	.010779	0.97	0.331	-.0106444	.0316083
_cons		-.0125762	.0042735	-2.94	0.003	-.0209522	-.0042002
sigma_u		.1369003					
sigma_e		.28815021					
rho		.18415329	(fraction of variance due to u_i)				

```
. hausman fijo
```

		(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
		fijo	.	Difference	S.E.
w12_1		.67065	.6759202	-.0052702	.0004189
lnpl2		.0683169	.0687597	-.0004429	.0005294
lnpl2coo		.0361578	.0214826	.0146752	.0056842

```
b = consistent under Ho and Ha; obtained from xtreg
B = inconsistent under Ha, efficient under Ho; obtained from xtreg
Test: Ho: difference in coefficients not systematic
```

```
chi2(3) = (b-B)'[(V_b-V_B)^(-1)](b-B)
        = 166.56
Prob>chi2 = 0.0000
```

```
. lincom lnpl2 + lnpl2coo
( 1) lnpl2 + lnpl2coo = 0
```

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.0902424	.0366021	2.47	0.014	.0185035	.1619812

```
. reg w12 w12_1 tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355 r369
r371 r384 r390 r520 r571 r621 r628 r629 r631 r711 r712 r721 r832 r921 r929
r931 r932 r933 r934 r935 r951 r959 lnp12 lnp12coo cta, cluster(i) robust
```

Linear regression

Number of obs = 862414
F(37, 16840) = 1022.05
Prob > F = 0.0000
R-squared = 0.4812
Root MSE = .29012

Number of clusters (i) = 16841

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
w12_1		.6995362	.0037562	186.23	0.000	.6921736	.7068988
tramo2		-.0032329	.0007705	-4.20	0.000	-.0047431	-.0017227
tramo3		-.0033104	.0010983	-3.01	0.003	-.0054631	-.0011576
tramo4		-.0127183	.0025642	-4.96	0.000	-.0177444	-.0076922
r312		-.0034684	.0031903	-1.09	0.277	-.0097216	.0027849
r313		.0064471	.0027597	2.34	0.019	.0010379	.0118563
r321		-.0087013	.0030613	-2.84	0.004	-.0147018	-.0027008
r322		-.0054162	.0027209	-1.99	0.047	-.0107495	-.0000829
r324		-.0136253	.0042643	-3.20	0.001	-.0219837	-.0052669
r342		-.0092867	.0023891	-3.89	0.000	-.0139696	-.0046038
r355		-.0173111	.0072647	-2.38	0.017	-.0315507	-.0030715
r369		-.0070558	.0035647	-1.98	0.048	-.0140431	-.0000685
r371		-.0161078	.003213	-5.01	0.000	-.0224057	-.0098099
r384		-.0051783	.0064585	-0.80	0.423	-.0178376	.007481
r390		-.0008096	.003329	-0.24	0.808	-.0073347	.0057154
r520		-.0069254	.0065248	-1.06	0.289	-.0197147	.0058639
r571		-.0080943	.0058271	-1.39	0.165	-.0195161	.0033274
r621		-.0097764	.0022137	-4.42	0.000	-.0141155	-.0054372
r628		-.0051924	.0023705	-2.19	0.029	-.0098388	-.000546
r629		-.0052111	.0022582	-2.31	0.021	-.0096374	-.0007849
r631		-.0133447	.0022131	-6.03	0.000	-.0176827	-.0090067
r711		-.006521	.0021046	-3.10	0.002	-.0106462	-.0023957
r712		-.0171399	.0066213	-2.59	0.010	-.0301184	-.0041615
r721		-.0079604	.00358	-2.22	0.026	-.0149777	-.0009431
r832		-.0026275	.0022671	-1.16	0.246	-.0070712	.0018162
r921		-.0131159	.0031586	-4.15	0.000	-.0193072	-.0069247
r929		-.0206363	.01466	-1.41	0.159	-.0493715	.0080989
r931		-.0041102	.0025456	-1.61	0.106	-.0090999	.0008794
r932		-.003757	.0080149	-0.47	0.639	-.019467	.011953
r933		-.0039492	.0023496	-1.68	0.093	-.0085546	.0006562
r934		-.0041652	.0030696	-1.36	0.175	-.010182	.0018516
r935		.0051553	.0175311	0.29	0.769	-.0292074	.0395181
r951		-.0014802	.0022995	-0.64	0.520	-.0059874	.0030269
r959		-.0002429	.0027873	-0.09	0.931	-.0057063	.0052205
lnp12		.0668747	.0056172	11.91	0.000	.0558644	.077885
lnp12coo		-.0156622	.0317687	-0.49	0.622	-.0779322	.0466079
cta		.0028232	.0025978	1.09	0.277	-.0022687	.0079152
_cons		-.0053982	.0020688	-2.61	0.009	-.0094532	-.0013432

```
. lincom lnp12 + lnp12coo
```

(1) lnp12 + lnp12coo = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
(1)		.0512125	.0313257	1.63	0.102	-.0101892	.1126142

```

. xtreg w12 w12_1 lnpl2 lnpl2coo cta if ciiu1==3, fe robust

Fixed-effects (within) regression              Number of obs   =   159976
Group variable (i): i                        Number of groups =    2932

R-sq:  within = 0.4500                      Obs per group: min =     1
        between = 0.7547                      avg =       54.6
        overall = 0.4830                      max =      104

                                F(3,157041)    =   5685.18
corr(u_i, Xb) = 0.2137                    Prob > F      =    0.0000

-----+-----
            |               Robust
            |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      w12_1 |   .6792178   .0053224   127.61   0.000   .6687859   .6896496
      lnpl2 |  -.040275   .0096138    -4.19   0.000  -.0591179  -.0214322
lnpl2coo   |   .1223189   .0680886     1.80   0.072  -.0111334   .2557712
      cta   | (dropped)
      _cons |  -.0152949   .0008353   -18.31   0.000  -.0169322  -.0136577
-----+-----
      sigma_u |   .14457991
      sigma_e |   .32335051
      rho    |   .16661513   (fraction of variance due to u_i)
-----+-----

. test lnpl2 + lnpl2coo = 0
( 1)  lnpl2 + lnpl2coo = 0

            F( 1,157041) =    1.48
            Prob > F =    0.2236

```

```
. xtreg w12 w12_1 tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355 r369
r371 r384 r390 lnp12 lnp12coo cta if ciiu1==3, re robust
```

```
Random-effects GLS regression                Number of obs      =    159976
Group variable (i): i                       Number of groups   =     2932
```

```
R-sq:  within = 0.4502                      Obs per group: min =         1
        between = 0.7517                      avg =       54.6
        overall = 0.4830                      max =      104
```

```
Random effects u_i ~ Gaussian                Wald chi2(18)       =   18159.65
corr(u_i, X) = 0 (assumed)                  Prob > chi2         =     0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12							
w12_1		.6867047	.0052681	130.35	0.000	.6763795	.69703
tramo2		-.0194674	.0034123	-5.71	0.000	-.0261553	-.0127796
tramo3		-.0216341	.0048708	-4.44	0.000	-.0311807	-.0120874
tramo4		-.0320843	.0093846	-3.42	0.001	-.0504777	-.0136908
r312		-.0157389	.0108988	-1.44	0.149	-.0371002	.0056223
r313		.0041853	.0102339	0.41	0.683	-.0158727	.0242433
r321		-.0173395	.011305	-1.53	0.125	-.039497	.004818
r322		-.0163921	.0107523	-1.52	0.127	-.0374662	.0046819
r324		-.0299088	.0176216	-1.70	0.090	-.0644465	.004629
r342		-.019816	.0091599	-2.16	0.031	-.0377691	-.0018629
r355		-.0204978	.0210526	-0.97	0.330	-.0617601	.0207645
r369		-.0033683	.0165131	-0.20	0.838	-.0357334	.0289967
r371		-.0229145	.0118435	-1.93	0.053	-.0461273	.0002982
r384		-.0020833	.027336	-0.08	0.939	-.0556609	.0514943
r390		.0014077	.0131993	0.11	0.915	-.0244625	.0272778
lnp12		-.0362435	.0095648	-3.79	0.000	-.0549902	-.0174969
lnp12coo		.1152474	.0669735	1.72	0.085	-.0160184	.2465131
cta		.0271313	.0236163	1.15	0.251	-.0191557	.0734184
_cons		.004788	.0084557	0.57	0.571	-.0117849	.0213608
sigma_u		.1071807					
sigma_e		.32327721					
rho		.09903545	(fraction of variance due to u_i)				

```
. test lnp12 + lnp12coo = 0
( 1)  lnp12 + lnp12coo = 0
```

```
      chi2( 1) =    1.42
Prob > chi2 =    0.2335
```

```

. xtreg w12 w12_1 lnpl2 lnpl2coo cta if ciiu1==7, fe robust

Fixed-effects (within) regression               Number of obs   =   207902
Group variable (i): i                         Number of groups =    3704

R-sq:  within = 0.4205                        Obs per group: min =     1
        between = 0.7027                      avg           =   56.1
        overall = 0.4550                      max           =   104

                                           F(3,204195)      =   7387.30
corr(u_i, Xb)  = 0.2119                      Prob > F         =    0.0000

-----+-----
               |               Robust
           w12 |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
           w12_1 |      .6482302    .0045438   142.66   0.000    .6393244    .657136
           lnpl2 |     -.2594683    .0172038   -15.08   0.000   -.2931874   -.2257492
       lnpl2coo |      .2640047    .0492188     5.36   0.000    .1675371    .3604724
             cta |      (dropped)
           _cons |     -.0083897    .000755   -11.11   0.000   -.0098694   -.00691
-----+-----
           sigma_u |      .15672759
           sigma_e |      .30482198
             rho   |      .209087   (fraction of variance due to u_i)
-----+-----

. test lnpl2 + lnpl2coo = 0
( 1)  lnpl2 + lnpl2coo = 0

             F( 1,204195) =    0.01
             Prob > F =    0.9219

```

```

. xtreg w12 w12_1 tramo2 tramo3 tramo4 r712 r721 lnp12 lnp12coo cta if
ciiul==7, re robust

Random-effects GLS regression                               Number of obs   =   207902
Group variable (i): i                                     Number of groups  =    3704

R-sq:  within = 0.4208                                     Obs per group: min =      1
        between = 0.6990                                     avg =    56.1
        overall = 0.4542                                     max =   104

Random effects u_i ~ Gaussian                               Wald chi2(9)     =  23358.26
corr(u_i, X)      = 0 (assumed)                             Prob > chi2      =    0.0000

```

	Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12						
w12_1	.6538926	.0044789	145.99	0.000	.6451141	.662671
tramo2	-.0094968	.003093	-3.07	0.002	-.015559	-.0034347
tramo3	-.0312946	.0064177	-4.88	0.000	-.0438731	-.0187161
tramo4	-.1119776	.0261747	-4.28	0.000	-.163279	-.0606762
r712	.0005121	.0229498	0.02	0.982	-.0444687	.0454928
r721	-.005812	.0096583	-0.60	0.547	-.0247419	.0131179
lnp12	-.270298	.0170661	-15.84	0.000	-.303747	-.236849
lnp12coo	.2646744	.0492131	5.38	0.000	.1682184	.3611303
cta	.0033116	.0116225	0.28	0.776	-.019468	.0260912
_cons	-.0077466	.0028398	-2.73	0.006	-.0133125	-.0021806
sigma_u	.12535607					
sigma_e	.30473586					
rho	.14472667	(fraction of variance due to u_i)				

```

. test lnp12 + lnp12coo = 0
( 1) lnp12 + lnp12coo = 0

        chi2( 1) =    0.01
        Prob > chi2 =    0.9034

```

```

. xtreg w12 w12_1 lnpl2 lnpl2coo cta if ciiu1==9, fe robust

Fixed-effects (within) regression              Number of obs   =   170563
Group variable (i): i                        Number of groups  =    3224

R-sq:  within = 0.4999                      Obs per group: min =     1
        between = 0.6745                      avg =       52.9
        overall = 0.5400                      max =       104

corr(u_i, Xb) = 0.2058                      F(3,167336)      =  10795.03
                                                Prob > F         =   0.0000

-----+-----
            |               Robust
      w12 |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      w12_1 |      .692289   .0050129   138.10   0.000   .6824639   .7021142
      lnpl2 |      .3173024   .009263   34.25   0.000   .2991472   .3354577
lnpl2coo |     -.0419323   .065836   -0.64   0.524   -.1709694   .0871049
      cta | (dropped)
      _cons |     -.0042491   .0006311   -6.73   0.000   -.005486   -.0030122
-----+-----
      sigma_u |      .14754018
      sigma_e |      .2488528
      rho |      .26008592   (fraction of variance due to u_i)
-----+-----

. test lnpl2 + lnpl2coo = 0
( 1)  lnpl2 + lnpl2coo = 0

      F( 1,167336) =    17.69
      Prob > F =    0.0000

```

```
. xtreg w12 w12_1 tramo2 tramo3 tramo4 r929 r931 r932 r933 r934 r935 r951 r959
lnp12 lnp12coo cta if ciiu1==9, re robust
```

```
Random-effects GLS regression                Number of obs      =    170563
Group variable (i): i                       Number of groups   =     3224
```

```
R-sq:  within = 0.5001                      Obs per group: min =         1
        between = 0.6787                      avg           =        52.9
        overall = 0.5404                      max           =        104
```

```
Random effects u_i ~ Gaussian                Wald chi2(15)       =   32811.23
corr(u_i, X) = 0 (assumed)                  Prob > chi2        =     0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12							
w12_1		.6970999	.0049759	140.10	0.000	.6873474	.7068524
tramo2		-.0163577	.0028485	-5.74	0.000	-.0219406	-.0107747
tramo3		-.0126667	.0048214	-2.63	0.009	-.0221165	-.003217
tramo4		-.0200398	.0100334	-2.00	0.046	-.0397049	-.0003748
r929		.0368483	.0669183	0.55	0.582	-.0943091	.1680057
r931		.0219284	.0140583	1.56	0.119	-.0056253	.0494822
r932		.0336503	.0605916	0.56	0.579	-.0851071	.1524077
r933		.0337612	.0128296	2.63	0.009	.0086156	.0589068
r934		.0403068	.0162622	2.48	0.013	.0084334	.0721801
r935		.0529127	.0555438	0.95	0.341	-.0559512	.1617766
r951		.040291	.0129917	3.10	0.002	.0148277	.0657544
r959		.0204285	.0143636	1.42	0.155	-.0077237	.0485807
lnp12		.3134516	.0091729	34.17	0.000	.295473	.3314301
lnp12coo		-.1032244	.0702878	-1.47	0.142	-.2409859	.034537
cta		.0093993	.0261441	0.36	0.719	-.0418421	.0606407
_cons		-.0346806	.0121248	-2.86	0.004	-.0584449	-.0109163
sigma_u		.12920263					
sigma_e		.24881331					
rho		.21237947	(fraction of variance due to u_i)				

```
. test lnp12 + lnp12coo = 0
( 1)  lnp12 + lnp12coo = 0
```

```
      chi2( 1) =    9.04
      Prob > chi2 =    0.0026
```

```
. xtreg w12 w12_1 lnpl2 lnpl2coo cta if sindicato==4, fe robust
```

Fixed-effects (within) regression

Number of obs	=	90542
Group variable (i): i	Number of groups	= 1615

R-sq: within = 0.5021 Obs per group: min = 1
 between = 0.7334 avg = 56.1
 overall = 0.5407 max = 104

F(3,88924)	=	3014.04
Prob > F	=	0.0000

corr(u_i, Xb) = 0.2324

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
w12_1		.7137385	.007557	94.45	0.000	.6989268	.7285503
lnpl2		.0715553	.0114255	6.26	0.000	.0491615	.0939492
lnpl2coo		.0211979	.0583574	0.36	0.716	-.093182	.1355778
cta		(dropped)					
_cons		-.0107817	.0009392	-11.48	0.000	-.0126225	-.0089408
sigma_u		.14164828					
sigma_e		.27478525					
rho		.20994025	(fraction of variance due to u_i)				

```
. lincom lnpl2 + lnpl2coo
```

(1) lnpl2 + lnpl2coo = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
(1)		.0927532	.0572412	1.62	0.105	-.019439	.2049454

```
. xtreg w12 w12_1 lnpl2 lnpl2coo cta if sindicato==1, fe robust
```

Fixed-effects (within) regression

Number of obs	=	279285
Group variable (i): i	Number of groups	= 6002

R-sq: within = 0.4415 Obs per group: min = 1

 between = 0.6662 avg = 46.5

 overall = 0.4842 max = 104

corr(u_i, Xb) = 0.2143 F(3,273280) = 11387.23

 Prob > F = 0.0000

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
w12_1		.6603138	.0043368	152.26	0.000	.6518138	.6688139
lnpl2		.3364667	.0096515	34.86	0.000	.3175501	.3553834
lnpl2coo		.0759527	.1107821	0.69	0.493	-.1411772	.2930826
cta		(dropped)					
_cons		-.0085868	.0005837	-14.71	0.000	-.0097308	-.0074428
sigma_u		.16296595					
sigma_e		.29404352					
rho		.23498513	(fraction of variance due to u_i)				

```
. lincom lnpl2 + lnpl2coo
```

(1) lnpl2 + lnpl2coo = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
(1)		.4124194	.1104796	3.73	0.000	.1958824	.6289564

```
. xtreg w12 w12_1 lnp12 lnp12coo cta tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 if
sindicato==4, re robust
```

```
Random-effects GLS regression                Number of obs      =    90542
Group variable (i): i                      Number of groups   =    1615
```

```
R-sq:  within = 0.5023                      Obs per group: min =      1
        between = 0.7311                      avg =    56.1
        overall = 0.5404                      max =   104
```

```
Random effects u_i ~ Gaussian                Wald chi2(9)        =    9481.17
corr(u_i, X) = 0 (assumed)                  Prob > chi2         =    0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12							
w12_1		.7191114	.0075093	95.76	0.000	.7043934	.7338294
lnp12		.0723163	.0113932	6.35	0.000	.0499861	.0946465
lnp12coo		.029768	.0556631	0.53	0.593	-.0793297	.1388657
cta		.0121909	.0267254	0.46	0.648	-.0401898	.0645717
tramo2		-.0122687	.0043222	-2.84	0.005	-.02074	-.0037974
tramo3		-.0106933	.0067292	-1.59	0.112	-.0238823	.0024956
tramo4		.0313716	.0184443	1.70	0.089	-.0047785	.0675217
r3		.0056288	.0204262	0.28	0.783	-.0344057	.0456633
r5		(dropped)					
r6		(dropped)					
r7		(dropped)					
r9		.0056532	.0198813	0.28	0.776	-.0333135	.0446199
_cons		-.0130931	.0194982	-0.67	0.502	-.051309	.0251227
sigma_u		.11816002					
sigma_e		.27474414					
rho		.15609161	(fraction of variance due to u_i)				

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.1020843	.054501	1.87	0.061	-.0047357	.2089043

```
. xtreg w12 w12_1 lnp12 lnp12coo cta tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 if
sindicato==1, re robust
```

```
Random-effects GLS regression                Number of obs      =    279285
Group variable (i): i                       Number of groups   =     6002
```

```
R-sq:  within = 0.4416                      Obs per group: min =         1
        between = 0.6692                      avg =        46.5
        overall = 0.4848                      max =       104
```

```
Random effects u_i ~ Gaussian                Wald chi2(11)       =   35733.12
corr(u_i, X)      = 0 (assumed)              Prob > chi2         =    0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
w12							
w12_1		.6670474	.0042616	156.52	0.000	.6586948	.6754001
lnp12		.330655	.0094975	34.81	0.000	.3120401	.3492698
lnp12coo		-.1383949	.1108081	-1.25	0.212	-.3555748	.078785
cta		-.0131995	.0384822	-0.34	0.732	-.0886232	.0622241
tramo2		-.0114234	.0024494	-4.66	0.000	-.0162241	-.0066226
tramo3		-.0187028	.0041767	-4.48	0.000	-.0268891	-.0105166
tramo4		-.0546282	.0101165	-5.40	0.000	-.0744562	-.0348001
r3		.0120299	.0105167	1.14	0.253	-.0085825	.0326422
r5		(dropped)					
r6		-.0224831	.0060784	-3.70	0.000	-.0343966	-.0105695
r7		-.0186382	.0258442	-0.72	0.471	-.0692919	.0320154
r9		.0018642	.0053387	0.35	0.727	-.0085995	.0123278
_cons		-.0058969	.0042832	-1.38	0.169	-.0142918	.0024981
sigma_u		.13528778					
sigma_e		.29399962					
rho		.17474734	(fraction of variance due to u_i)				

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.1922601	.1104818	1.74	0.082	-.0242804	.4088005

```
. xtreg w12_asal w12_asal_1 lnp12 lnp12coo cta, fe robust
```

Fixed-effects (within) regression

Group variable (i): i

Number of obs = 852512
Number of groups = 16766

R-sq: within = 0.4408
between = 0.6437
overall = 0.4786

Obs per group: min = 1
avg = 50.8
max = 104

F(3,835743) = 24044.42
Prob > F = 0.0000

corr(u_i, Xb) = 0.2140

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
w12_asal							
w12_asal_1		.6692554	.0025117	266.45	0.000	.6643325	.6741783
lnp12		.0685232	.0043404	15.79	0.000	.0600163	.0770302
lnp12coo		.0022057	.0747743	0.03	0.976	-.1443496	.1487609
cta		(dropped)					
_cons		-.014161	.0003249	-43.59	0.000	-.0147977	-.0135243
sigma_u		.16144999					
sigma_e		.28896408					
rho		.23790243	(fraction of variance due to u_i)				

```
. lincom lnp12 + lnp12coo
```

(1) lnp12 + lnp12coo = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
w12_asal							
(1)		.0707289	.0746514	0.95	0.343	-.0755853	.2170432

```
. xtreg w12_asal w12_asal_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 lnp12 lnp12coo
cta, re robust
```

```
Random-effects GLS regression                Number of obs      =    852512
Group variable (i): i                      Number of groups   =    16766
```

```
R-sq:  within = 0.4409                      Obs per group: min =         1
        between = 0.6431                      avg =        50.8
        overall = 0.4785                      max =       104
```

```
Random effects u_i ~ Gaussian                Wald chi2(12)       =   75515.84
corr(u_i, X) = 0 (assumed)                  Prob > chi2        =    0.0000
```

w12_asal	Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
w12_asal_1	.6745361	.0024765	272.37	0.000	.6696822	.6793899
tramo2	-.0105764	.0014347	-7.37	0.000	-.0133883	-.0077645
tramo3	-.0140679	.0024763	-5.68	0.000	-.0189213	-.0092145
tramo4	-.030428	.006281	-4.84	0.000	-.0427385	-.0181174
r3	-.0005831	.0054709	-0.11	0.915	-.011306	.0101397
r5	-.0031441	.0218349	-0.14	0.886	-.0459397	.0396516
r6	-.010031	.0048465	-2.07	0.038	-.0195301	-.000532
r7	-.0033616	.0051487	-0.65	0.514	-.013453	.0067297
r9	.0018492	.0049768	0.37	0.710	-.0079051	.0116035
lnp12	.0689689	.0043076	16.01	0.000	.0605261	.0774117
lnp12coo	-.0541198	.0826213	-0.66	0.512	-.2160546	.107815
cta	.0261186	.0190584	1.37	0.171	-.0112351	.0634723
_cons	-.012712	.0042742	-2.97	0.003	-.0210892	-.0043348
-----+-----						
sigma_u	.13701418					
sigma_e	.28894331					
rho	.18357793	(fraction of variance due to u i)				

```
lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

w12_asal	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
(1)	.0148491	.082513	0.18	0.857	-.1468734	.1765716

```
. xtreg wol2 wol2_1 lnp12 lnp12coo cta, fe robust
```

```
Fixed-effects (within) regression               Number of obs   =    862191
Group variable (i): i                          Number of groups =    16841

R-sq:  within = 0.4432                          Obs per group: min =      1
        between = 0.6461                          avg =      51.2
        overall = 0.4812                          max =     104

corr(u_i, Xb) = 0.2153                          F(3,845347)      =   24449.43
                                                Prob > F         =    0.0000
```

```
-----+-----
               |               Robust
           wol2 |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
           wol2_1 |      .6707651    .002496   268.74   0.000   .6658731   .6756572
           lnp12 |      .0682998    .0043392   15.74   0.000   .0597952   .0768045
        lnp12coo |      .0360123    .038079   0.95   0.344  -.0386213   .1106459
           cta | (dropped)
           _cons |     -.0141584    .0003224  -43.91   0.000  -.0147904  -.0135265
-----+-----
           sigma_u |      .16106727
           sigma_e |      .28815983
           rho |      .23805251   (fraction of variance due to u_i)
-----+-----
```

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

```
-----+-----
           wol2 |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
           (1) |      .1043121    .0378298   2.76   0.006   .030167   .1784573
-----+-----
```

```
. xtreg wol2 wol2_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 lnp12 lnp12coo cta, re
robust
```

```
Random-effects GLS regression                Number of obs    =    862191
Group variable (i): i                      Number of groups   =    16841
```

```
R-sq:  within = 0.4433                      Obs per group: min =         1
        between = 0.6454                      avg =        51.2
        overall = 0.4811                      max =        104
```

```
Random effects u_i ~ Gaussian                Wald chi2(12)      =   76791.44
corr(u_i, X)      = 0 (assumed)              Prob > chi2        =    0.0000
```

		Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
wol2							
wol2_1		.6760142	.0024609	274.70	0.000	.671191	.6808375
tramo2		-.0107293	.001432	-7.49	0.000	-.013536	-.0079226
tramo3		-.0144705	.0024786	-5.84	0.000	-.0193284	-.0096126
tramo4		-.0303457	.0062635	-4.84	0.000	-.042622	-.0180694
r3		-.0005569	.0054625	-0.10	0.919	-.0112632	.0101493
r5		-.0020182	.0215193	-0.09	0.925	-.0441952	.0401587
r6		-.0099516	.0048477	-2.05	0.040	-.0194529	-.0004503
r7		-.003409	.0051359	-0.66	0.507	-.0134752	.0066572
r9		.0019773	.0049743	0.40	0.691	-.0077721	.0117267
lnp12		.0687465	.0043067	15.96	0.000	.0603054	.0771876
lnp12coo		.0230404	.0375465	0.61	0.539	-.0505494	.0966302
cta		.0091118	.0106181	0.86	0.391	-.0116993	.0299228
_cons		-.0126703	.0042737	-2.96	0.003	-.0210465	-.004294
sigma_u		.13691					
sigma_e		.28813882					
rho		.18418647	(fraction of variance due to u_i)				

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.0917869	.0373014	2.46	0.014	.0186775	.1648964

```
. xtreg w12 w12_1 lnp12 lnp12coo crisis crisis1, fe robust
```

Fixed-effects (within) regression

Number of obs	=	862414
Group variable (i): i	Number of groups	= 16841

R-sq: within = 0.4484 Obs per group: min = 1
 between = 0.6455 avg = 51.2
 overall = 0.4852 max = 104

corr(u_i, Xb) = 0.2075 F(5,845568) = 23508.56
 Prob > F = 0.0000

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
w12_1		.657655	.0025587	257.03	0.000	.6526401	.66267
lnp12		.0151878	.0043513	3.49	0.000	.0066595	.0237162
lnp12coo		.0783131	.0376169	2.08	0.037	.0045852	.1520409
crisis		-.080114	.0010394	-77.08	0.000	-.0821511	-.0780769
crisis1		-.0129152	.0063554	-2.03	0.042	-.0253717	-.0004588
_cons		-.0014992	.0003324	-4.51	0.000	-.0021507	-.0008476
sigma_u		.16153411					
sigma_e		.28679041					
rho		.24084167	(fraction of variance due to u_i)				

```
. lincom lnp12 + lnp12coo
```

(1) lnp12 + lnp12coo = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
(1)		.0935009	.0373642	2.50	0.012	.0202683	.1667335

```
. lincom crisis + crisis1
```

(1) crisis + crisis1 = 0

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
w12							
(1)		-.0930293	.0063159	-14.73	0.000	-.1054083	-.0806502

Anexo 8: Salidas de Stata para el modelo de determinación del nivel de empleo

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo (w12 w12coo = w12_2 w12coo_2),
fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      842145
Group variable: i                        Number of groups   =      16539
```

```
R-sq:  within = 0.6988                    Obs per group: min =      1
      between = 0.9305                      avg =      50.9
      overall = 0.7457                      max =     103
```

```
corr(u_i, Xb) = 0.3014                    Wald chi2(5)       = 1.92e+06
                                           Prob > chi2        = 0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
w12	-.0440409	.0006003	-73.36	0.000	-.0452175	-.0428642
w12coo	.0354918	.0046392	7.65	0.000	.0263991	.0445845
E12_1	.8322189	.0006051	1375.24	0.000	.8310328	.8334049
w12	(dropped)					
w12coo	(dropped)					
lnp12	.0214774	.0031214	6.88	0.000	.0153595	.0275953
lnp12coo	-.0157965	.0247476	-0.64	0.523	-.0643009	.032708
_cons	-.0037269	.0002267	-16.44	0.000	-.0041712	-.0032826
-----+-----						
sigma_u	.0888616					
sigma_e	.20688664					
rho	.15575194	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(16538,825601) =      1.57      Prob > F      = 0.0000
```

```
Instrumented:      w12 w12coo
```

```
Instruments:      E12_1 w12 w12coo lnp12 lnp12coo w12_2 w12coo_2
```

```
. est store fijo
```

```
. lincom lnp12+lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
(1)	.005681	.0245499	0.23	0.817	-.042436	.0537979

```
. lincom w12+w12coo
```

```
( 1)  w12 + w12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
(1)	-.0085491	.0046001	-1.86	0.063	-.017565	.0004669

```
. xtivreg E12 E12_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 w12 w12coo lnp12
lnp12coo (w12 w12coo = w12_2 w12coo_2), re
```

```
G2SLS random-effects IV regression
Group variable: i
R-sq:  within = 0.7000
      between = 0.9299
      overall = 0.7463
```

```
Number of obs      = 842145
Number of groups   = 16539
Obs per group: min = 1
                avg = 50.9
                max = 103
Wald chi2(13)     = 2.48e+06
Prob > chi2       = 0.0000
```

```
corr(u_i, X)      = 0 (assumed)
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0353382	.0005721	-61.77	0.000	-.0364594	-.034217
w12coo		.0353036	.0042843	8.24	0.000	.0269065	.0437006
E12_1		.8577771	.0005539	1548.54	0.000	.8566915	.8588628
tramo2		.0198487	.000532	37.31	0.000	.018806	.0208913
tramo3		.0220895	.0007846	28.15	0.000	.0205517	.0236272
tramo4		.0236755	.0015709	15.07	0.000	.0205965	.0267544
r3		-.0047198	.0009288	-5.08	0.000	-.0065401	-.0028995
r5		-.0011098	.0030758	-0.36	0.718	-.0071383	.0049186
r6		.0006899	.0008823	0.78	0.434	-.0010393	.0024191
r7		.0074282	.0009048	8.21	0.000	.0056547	.0092016
r9		.0029106	.0009174	3.17	0.002	.0011126	.0047087
w12		(dropped)					
w12coo		(dropped)					
lnp12		.0197778	.0028928	6.84	0.000	.014108	.0254476
lnp12coo		-.0454336	.0221516	-2.05	0.040	-.0888499	-.0020173
_cons		-.0135673	.0007959	-17.05	0.000	-.0151272	-.0120074
sigma_u		0					
sigma_e		.20502544					
rho		0					(fraction of variance due to u_i)

```
Instrumented:  w12 w12coo
Instruments:   E12_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 w12 w12coo lnp12
lnp12coo w12_2 w12coo_2
```

```
. hausman fijo
```

	---- Coefficients ----			
	(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
	fijo	.	Difference	S.E.
w12	-.0440409	-.0353382	-.0087027	.0001821
w12coo	.0354918	.0353036	.0001882	.0017797
E12_1	.8322189	.8577771	-.0255583	.0002436
lnp12	.0214774	.0197778	.0016996	.0011726
lnp12coo	-.0157965	-.0454336	.0296371	.0110342

```
b = consistent under Ho and Ha; obtained from xtivreg
B = inconsistent under Ha, efficient under Ho; obtained from xtivreg
Test:  Ho:  difference in coefficients not systematic
```

```
chi2(5) = (b-B)' [(V_b-V_B)^(-1)] (b-B)
        = 11772.19
Prob>chi2 = 0.0000
```

```
. lincom lnp12+lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0256558	.0219797	-1.17	0.243	-.0687351	.0174236

```
. lincom w12 + w12coo
```

```
( 1)  w12 + w12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
(1)	-.0000346	.0042465	-0.01	0.993	-.0083576	.0082884

Test de endogeneidad de todas las empresas

```
. xtreg E12 E12_1 w12 w12coo lnp12 lnp12coo, fe robust
```

```
Fixed-effects (within) regression          Number of obs   =   862414
Group variable (i): i                     Number of groups =   16841

R-sq:  within = 0.6969                    Obs per group: min =    1
        between = 0.8940                      avg =   51.2
        overall = 0.7433                      max =   104

                                         F(5,845568)      =   63679.89
corr(u_i, Xb)  = 0.2856                    Prob > F         =    0.0000
```

```
-----+-----
            |               Robust
            |               Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      E12 |               Coef.
-----+-----
      E12_1 |   .8272691   .0015103   547.74   0.000   .8243089   .8302293
      w12 |  -.0440485   .001048   -42.03   0.000  -.0461026  -.0419944
      w12coo |   .0359515   .0091997    3.91   0.000   .0179204   .0539826
      lnp12 |   .0232794   .0031123    7.48   0.000   .0171793   .0293794
      lnp12coo | -.0155125   .0138282   -1.12   0.262  -.0426154   .0115904
      _cons |  -.0041849   .0002269   -18.44   0.000  -.0046296  -.0037401
-----+-----
      sigma_u |   .10567778
      sigma_e |   .20982948
      rho |   .202329   (fraction of variance due to u_i)
-----+-----
```

```
. hausman endo
```

```
----- Coefficients -----
            |               (b)               (B)               (b-B)               sqrt(diag(V_b-V_B))
            |               endo               .               Difference               S.E.
-----+-----
      w12 |  -.0440409   -.0440485               7.63e-06               .
      w12coo |   .0354918   .0359515             -.0004597               .
      E12_1 |   .8322189   .8272691             .0049498               .
      lnp12 |   .0214774   .0232794             -.001802             .0002382
      lnp12coo | -.0157965   -.0155125             -.000284             .0205238
-----+-----
```

b = consistent under Ho and Ha; obtained from xtivreg
 B = inconsistent under Ha, efficient under Ho; obtained from xtreg

Test: Ho: difference in coefficients not systematic

```
chi2(5) = (b-B)' [(V_b-V_B)^(-1)] (b-B)
          = 4.59
Prob>chi2 = 0.4677
(V_b-V_B is not positive definite)
```

Test de endogeneidad Coops

```
. xtivreg E12 E12_1 w12 lnp12 (w12 = w12_2) if cta==1, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      14092
Group variable: i                        Number of groups    =      207
```

```
R-sq:  within = 0.5651                    Obs per group: min =      1
        between = 0.9195                  avg =      68.1
        overall = 0.6119                  max =     103
```

```
corr(u_i, Xb) = 0.2741                    Wald chi2(3)        = 18216.12
                                                Prob > chi2         = 0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12	-.0053709	.0037437	-1.43	0.151	-.0127084	.0019666
E12_1	.744062	.0055456	134.17	0.000	.7331928	.7549312
w12	(dropped)					
lnp12	.0009871	.0199535	0.05	0.961	-.0381211	.0400953
_cons	-.0058313	.0014452	-4.03	0.000	-.0086639	-.0029986
sigma_u	.07102217					
sigma_e	.16813378					
rho	.1514163	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(206,13882) =      2.08      Prob > F      = 0.0000
```

```
Instrumented:      w12
Instruments:      E12_1 w12 lnp12 w12_2
```

```
. est store endo
```

```
. xtreg E12 E12_1 w12 lnp12 if cta==1, fe
```

```
Fixed-effects (within) regression      Number of obs      =      14338
Group variable (i): i                  Number of groups    =      208
```

```
R-sq:  within = 0.5840                    Obs per group: min =      1
        between = 0.9419                  avg =      68.9
        overall = 0.6322                  max =     104
```

```
corr(u_i, Xb) = 0.2711                    F(3,14127)         = 6609.87
                                                Prob > F           = 0.0000
```

E12	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
E12_1	.759562	.0053963	140.76	0.000	.7489846	.7701394
w12	-.0063943	.0036408	-1.76	0.079	-.0135307	.000742
lnp12	.0034162	.019813	0.17	0.863	-.0354198	.0422523
_cons	-.0057499	.0014359	-4.00	0.000	-.0085645	-.0029353
sigma_u	.06220165					
sigma_e	.16849112					
rho	.11993953	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(207, 14127) =      1.82      Prob > F = 0.0000
```

```
. hausman endo
```

---- Coefficients ----				
	(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
	endo	.	Difference	S.E.
-----+-----				
w12	-.0053709	-.0063943	.0010234	.0008718
E12_1	.744062	.759562	-.0155	.0012782
lnp12	.0009871	.0034162	-.0024291	.0023642
-----+-----				

b = consistent under Ho and Ha; obtained from xtivreg
 B = inconsistent under Ha, efficient under Ho; obtained from xtreg

Test: Ho: difference in coefficients not systematic

chi2(3) = (b-B)'[(V_b-V_B)^(-1)](b-B)
 = 159.41
 Prob>chi2 = 0.0000

```
. ivreg E12 E12_1 tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355 r369
r371 r384 r390 r520 r571 r621 r628 r629 r631 r711 r712 r721 r832 r921 r929
r931 r932 r933 r934 r935 r951 r959 w12 w12coo lnp12 lnp12coo (w12 w12coo =
w12_2 w12coo_2), cluster (i) robust
```

Instrumental variables (2SLS) regression

Number of obs = 842145
F(38, 16538) = 8689.55
Prob > F = 0.0000
R-squared = 0.7465
Root MSE = .20777

Number of clusters (i) = 16539

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
E12							
w12		-.035459	.0017868	-19.84	0.000	-.0389613	-.0319567
w12coo		.035878	.009064	3.96	0.000	.0181115	.0536444
E12_1		.8573689	.0019775	433.57	0.000	.8534928	.8612449
tramo2		.0211377	.000654	32.32	0.000	.0198558	.0224197
tramo3		.0244468	.0011174	21.88	0.000	.0222565	.0266371
tramo4		.0268903	.0021809	12.33	0.000	.0226156	.031165
r312		.0055382	.0028324	1.96	0.051	-.0000136	.01109
r313		.0119161	.002708	4.40	0.000	.0066081	.0172241
r321		-.0068739	.0028835	-2.38	0.017	-.0125258	-.001222
r322		-.0031631	.0027148	-1.17	0.244	-.0084845	.0021582
r324		-.0097814	.0035609	-2.75	0.006	-.016761	-.0028017
r342		.0073914	.0023597	3.13	0.002	.0027662	.0120166
r355		.0008289	.0053078	0.16	0.876	-.0095749	.0112327
r369		.0020428	.0034358	0.59	0.552	-.0046917	.0087774
r371		.0022109	.0028639	0.77	0.440	-.0034027	.0078245
r384		.0088111	.0048841	1.80	0.071	-.0007623	.0183844
r390		.0069974	.0034655	2.02	0.043	.0002047	.0137901
r520		.0073631	.0049492	1.49	0.137	-.0023379	.017064
r571		.0039578	.0055369	0.71	0.475	-.0068951	.0148107
r621		.0119537	.0022566	5.30	0.000	.0075306	.0163769
r628		.0048008	.0024444	1.96	0.050	9.43e-06	.0095921
r629		.0124195	.0022769	5.45	0.000	.0079566	.0168824
r631		.0023872	.0022452	1.06	0.288	-.0020135	.006788
r711		.0160175	.0021991	7.28	0.000	.011707	.0203281
r712		.0118652	.0043025	2.76	0.006	.0034318	.0202985
r721		.0021317	.0032504	0.66	0.512	-.0042394	.0085028
r832		.0072016	.0023494	3.07	0.002	.0025964	.0118068
r921		-.0018527	.0035936	-0.52	0.606	-.0088965	.0051911
r929		-.0065883	.0214327	-0.31	0.759	-.0485986	.035422
r931		.010038	.0024727	4.06	0.000	.0051913	.0148848
r932		.0214776	.0064177	3.35	0.001	.0088981	.0340571
r933		.0140163	.0023326	6.01	0.000	.0094442	.0185884
r934		.0100292	.0029991	3.34	0.001	.0041507	.0159077
r935		.0179817	.0044547	4.04	0.000	.0092501	.0267134
r951		.0099991	.0023011	4.35	0.000	.0054887	.0145094
r959		.0097299	.0026511	3.67	0.000	.0045334	.0149264
w12		(dropped)					
w12coo		(dropped)					
lnp12		.0175779	.0037923	4.64	0.000	.0101446	.0250111
lnp12coo		-.0426125	.0199361	-2.14	0.033	-.0816893	-.0035356
_cons		-.0216332	.0021875	-9.89	0.000	-.025921	-.0173453

Instrumented: w12 w12coo

Instruments: E12_1 tramo2 tramo3 tramo4 r312
r313 r321 r322 r324 r342 r355 r369
r371 r384 r390 r520 r571 r621 r628
r629 r631 r711 r712 r721 r832 r921
r929 r931 r932 r933 r934 r935 r951
r959 w12 w12coo lnp12 lnp12coo
w12_2 w12coo_2

. lincom lnp12 + lnp12coo

```
( 1)  lnpl2 + lnpl2coo = 0
```

	E12	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	+						
(1)		-.0250346	.019618	-1.28	0.202	-.063488	.0134188

```
. lincom w12 + w12coo
```

```
( 1)  w12 + w12coo = 0
```

	E12	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	+						
(1)		.0004189	.0088756	0.05	0.962	-.0169782	.017816

```
. xtivreg E12 E12_1 w12 w12coo lnpl2 lnpl2coo (w12 w12coo = w12_2 w12coo_2) if
ciiul==3, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      156109
Group variable: i                        Number of groups    =      2893
```

```
R-sq:  within = 0.7292                    Obs per group: min =      1
      between = 0.9497                      avg =      54.0
      overall = 0.7821                      max =     103
```

```
corr(u_i, Xb) = 0.3447                    Wald chi2(5)        = 412991.28
                                          Prob > chi2          =    0.0000
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0198192	.0011344	-17.47	0.000	-.0220426	-.0175959
w12coo		.0080238	.0083231	0.96	0.335	-.0082891	.0243367
E12_1		.856315	.0013384	639.80	0.000	.8536917	.8589382
w12		(dropped)					
w12coo		(dropped)					
lnpl2		-.0128799	.0056554	-2.28	0.023	-.0239642	-.0017956
lnpl2coo		-.0131228	.0333098	-0.39	0.694	-.0784088	.0521631
_cons		-.0061425	.0004866	-12.62	0.000	-.0070961	-.0051888
sigma_u		.08420132					
sigma_e		.19045679					
rho		.16349783	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(2892,153211) =      1.67      Prob > F      = 0.0000
```

```
Instrumented:      w12 w12coo
Instruments:      E12_1 w12 w12coo lnpl2 lnpl2coo w12_2 w12coo_2
```

```
. test lnpl2 + lnpl2coo = 0
( 1) lnpl2 + lnpl2coo = 0
```

```
      chi2( 1) =      0.63
      Prob > chi2 =      0.4283
```

```
. test w12 + w12coo = 0
( 1) w12 + w12coo = 0
```

```
      chi2( 1) =      2.05
      Prob > chi2 =      0.1526
```

```
. xtivreg E12 E12_1 tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355
r369 r371 r384 r390 w12 w12coo lnp12 lnp12coo (w12 w12coo = w12_2 w12coo_2) if
ciiu1==3, re
```

```
G2SLS random-effects IV regression      Number of obs      =    156109
Group variable: i                       Number of groups   =     2893
```

```
R-sq:  within = 0.7306                  Obs per group: min =      1
        between = 0.9490                  avg =      54.0
        overall = 0.7828                  max =     103
```

```
corr(u_i, X)      = 0 (assumed)          Wald chi2(19)      = 561161.39
                                                Prob > chi2        =    0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12	(dropped)					
w12coo	.0061088	.0080624	0.76	0.449	-.0096933	.0219109
E12_1	.8832766	.0011966	738.13	0.000	.8809312	.885622
tramo2	.0196627	.0011141	17.65	0.000	.0174792	.0218463
tramo3	.0205528	.0014203	14.47	0.000	.017769	.0233367
tramo4	.0222056	.0025276	8.79	0.000	.0172517	.0271596
r312	.0040669	.0022924	1.77	0.076	-.0004262	.00856
r313	.0097259	.0022402	4.34	0.000	.0053352	.0141165
r321	-.0054387	.002138	-2.54	0.011	-.0096292	-.0012482
r322	-.003627	.002022	-1.79	0.073	-.0075901	.0003361
r324	-.0085911	.0028281	-3.04	0.002	-.0141342	-.0030481
r342	.006706	.0019044	3.52	0.000	.0029735	.0104385
r355	.0009709	.004604	0.21	0.833	-.0080527	.0099945
r369	.00247	.0033875	0.73	0.466	-.0041693	.0091094
r371	.0028963	.002361	1.23	0.220	-.0017313	.0075238
r384	.0082986	.0037003	2.24	0.025	.0010461	.0155511
r390	.0059427	.002851	2.08	0.037	.0003548	.0115306
w12	-.0140522	.0010905	-12.89	0.000	-.0161895	-.0119149
w12coo	(dropped)					
lnp12	-.0012193	.0054312	-0.22	0.822	-.0118644	.0094257
lnp12coo	-.0090533	.0323749	-0.28	0.780	-.072507	.0544004
_cons	-.0190482	.0017437	-10.92	0.000	-.0224658	-.0156305
sigma_u	0					
sigma_e	.18843233					
rho	0	(fraction of variance due to u_i)				

```
Instrumented:    w12 w12coo
Instruments:     E12_1 tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355
r369 r371 r384 r390 w12 w12coo lnp12 lnp12coo w12_2 w12coo_2
```

```
. test lnp12 + lnp12coo = 0
( 1)  lnp12 + lnp12coo = 0

        chi2( 1) =    0.10
        Prob > chi2 =    0.7476
```

```
. test w12 + w12coo = 0
( 1)  w12 + w12coo = 0

        chi2( 1) =    0.57
        Prob > chi2 =    0.4486
```

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnpl2coo (w12 w12coo = w12_2 w12coo_2) if
ciiul==7, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      203271
Group variable: i                        Number of groups    =      3645
```

```
R-sq:  within = 0.6792                    Obs per group: min =      1
      between = 0.9365                      avg =      55.8
      overall = 0.7167                      max =     103
```

```
corr(u_i, Xb) = 0.2739                    Wald chi2(5)        = 424558.37
                                          Prob > chi2          =    0.0000
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0629298	.0012529	-50.23	0.000	-.0653855	-.0604741
w12coo		.0518518	.007044	7.36	0.000	.0380458	.0656578
E12_1		.8158477	.0012716	641.58	0.000	.8133554	.81834
w12		(dropped)					
w12coo		(dropped)					
lnp12		-.048721	.0110706	-4.40	0.000	-.070419	-.027023
lnpl2coo		.0398136	.0486446	0.82	0.413	-.055528	.1351552
_cons		.0007907	.0005326	1.48	0.138	-.0002531	.0018345
sigma_u		.07767769					
sigma_e		.21733064					
rho		.1132763	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(3644,199621) =      1.28      Prob > F      = 0.0000
```

```
Instrumented:      w12 w12coo
Instruments:      E12_1 w12 w12coo lnp12 lnpl2coo w12_2 w12coo_2
```

```
. test lnp12 + lnpl2coo = 0
( 1) lnp12 + lnpl2coo = 0

      chi2( 1) =      0.04
      Prob > chi2 =    0.8508
```

```
. test w12 + w12coo = 0
( 1) w12 + w12coo = 0

      chi2( 1) =      2.55
      Prob > chi2 =    0.1100
```

```

. xtivreg E12 E12_1 tramo2 tramo3 tramo4 r712 r721 w12 w12coo lnp12 lnp12coo
(w12 w12coo = w12_2 w12coo_2) if ciiu1==7, re

G2SLS random-effects IV regression               Number of obs      =    203271
Group variable: i                                Number of groups   =     3645

R-sq:  within = 0.6799                          Obs per group: min =         1
        between = 0.9373                          avg =        55.8
        overall = 0.7172                          max =       103

corr(u_i, X)      = 0 (assumed)                    Wald chi2(10)       = 515577.65
                                                         Prob > chi2         =      0.0000

-----+-----
      E12 |          Coef.   Std. Err.      z    P>|z|     [95% Conf. Interval]
-----+-----
      w12 |   -.0547164     .0012024   -45.50  0.000    -.0570732    -.0523597
 w12coo |    .0539695     .0063933     8.44  0.000     .0414389     .0665
  E12_1 |    .838215     .0011876   705.79  0.000     .8358873     .8405427
 tramo2 |    .017106     .0012487    13.70  0.000     .0146586     .0195533
 tramo3 |    .0188644     .0021903     8.61  0.000     .0145715     .0231574
 tramo4 |    .0304642     .0040905     7.45  0.000     .0224469     .0384815
   r712 |   -.0011593     .0030794    -0.38  0.707    -.0071948     .0048762
   r721 |   -.0139328     .0021328    -6.53  0.000    -.0181129    -.0097527
    w12 | (dropped)
 w12coo | (dropped)
   lnp12 |   -.0625007     .0105459    -5.93  0.000    -.0831703    -.0418311
 lnp12coo |  -.0695984     .0456213    -1.53  0.127    -.1590145     .0198178
    _cons |   -.0031339     .0006148    -5.10  0.000    -.0043389    -.0019288
-----+-----
 sigma_u |          0
 sigma_e |   .21620672
    rho |          0   (fraction of variance due to u_i)
-----+-----
Instrumented:    w12 w12coo
Instruments:    E12_1 tramo2 tramo3 tramo4 r712 r721 w12 w12coo lnp12 lnp12coo
w12_2 w12coo_2

. test lnp12 + lnp12coo = 0
( 1)  lnp12 + lnp12coo = 0

            chi2( 1) =      8.74
        Prob > chi2 =    0.0031

. test w12 + w12coo = 0
( 1)  w12 + w12coo = 0

            chi2( 1) =      0.01
        Prob > chi2 =    0.9053

```

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo (w12 w12coo = w12_2 w12coo_2) if
ciiul==9, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      166794
Group variable: i                        Number of groups    =      3172
```

```
R-sq:  within = 0.7354                    Obs per group: min =      1
        between = 0.9223                  avg =      52.6
        overall = 0.7782                  max =     103
```

```
corr(u_i, Xb) = 0.2768                    Wald chi2(5)        = 457190.39
                                                Prob > chi2          =    0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	

w12	-.0458381	.0013678	-33.51	0.000	-.0485189	-.0431573
w12coo	.0207254	.0099511	2.08	0.037	.0012217	.0402292
E12_1	.8521486	.0012785	666.50	0.000	.8496427	.8546545
w12	(dropped)					
w12coo	(dropped)					
lnp12	.0828618	.0061486	13.48	0.000	.0708108	.0949128
lnp12coo	.0354739	.0513258	0.69	0.489	-.0651227	.1360706
_cons	.0001712	.0004837	0.35	0.723	-.0007768	.0011192

sigma_u	.08975608					
sigma_e	.18591234					
rho	.18902483	(fraction of variance due to u i)				

```
F test that all u_i=0:      F(3171,163617) =      1.78      Prob > F      = 0.0000
-----
```

```
Instrumented:      w12 w12coo
Instruments:      E12_1 w12 w12coo lnp12 lnp12coo w12_2 w12coo_2
```

```
. test lnp12 + lnp12coo = 0
( 1) lnp12 + lnp12coo = 0
```

```
      chi2( 1) =      5.39
      Prob > chi2 =      0.0202
```

```
. test w12 + w12coo = 0
( 1) w12 + w12coo = 0
```

```
      chi2( 1) =      6.49
      Prob > chi2 =      0.0108
```

```

. xtivreg E12 E12_1 tramo2 tramo3 tramo4 r929 r931 r932 r933 r934 r935 r951
r959 w12 w12coo lnpl2 lnpl2coo (w12 w12coo = w12_2 w12coo_2) if ciul==9, re

G2SLS random-effects IV regression                               Number of obs      =    166794
Group variable: i                                                Number of groups    =     3172

R-sq:  within = 0.7367                                           Obs per group: min =         1
        between = 0.9224                                           avg =        52.6
        overall = 0.7788                                           max =        103

corr(u_i, X)      = 0 (assumed)                                Wald chi2(16)      = 565823.53
                                                           Prob > chi2        =      0.0000

-----+-----
      E12 |          Coef.   Std. Err.      z    P>|z|     [95% Conf. Interval]
-----+-----
      w12 |   -.0366296   .0012983   -28.21   0.000   -.0391743   -.0340849
    w12coo |   .0280686   .0090416    3.10   0.002    .0103473    .0457898
     E12_1 |   .8709918   .001186   734.38   0.000    .8686673    .8733164
    tramo2 |   .0218374   .001175   18.59   0.000    .0195346    .0241403
    tramo3 |   .0253315   .0017564   14.42   0.000    .021889    .0287739
    tramo4 |   .0291967   .0037252    7.84   0.000    .0218954    .036498
      r929 |  -.0033502   .0107551   -0.31   0.755   -.0244299    .0177296
      r931 |   .0153061   .0024321    6.29   0.000    .0105393    .0200728
      r932 |   .0238932   .0102324    2.34   0.020    .0038381    .0439482
      r933 |   .0204456   .0022783    8.97   0.000    .0159803    .0249109
      r934 |   .0168625   .0030112    5.60   0.000    .0109607    .0227644
      r935 |   .0241929   .0146814    1.65   0.099   -.0045821    .0529678
      r951 |   .0179956   .0023193    7.76   0.000    .01345    .0225413
      r959 |   .0148726   .0025423    5.85   0.000    .0098897    .0198554
      w12 | (dropped)
    w12coo | (dropped)
      lnpl2 |   .0571682   .0057178   10.00   0.000    .0459616    .0683748
    lnpl2coo |   .0006827   .0383137    0.02   0.986   -.0744108    .0757761
      _cons |  -.0277084   .0021403   -12.95   0.000   -.0319032   -.0235136
-----+-----
      sigma_u |   .01333515
      sigma_e |   .18453872
        rho |   .00519468   (fraction of variance due to u_i)
-----+-----

Instrumented:    w12 w12coo
Instruments:    E12_1 tramo2 tramo3 tramo4 r929 r931 r932 r933 r934 r935 r951
r959 w12 w12coo lnpl2 lnpl2coo w12_2 w12coo_2

. test lnpl2 + lnpl2coo = 0
( 1)  lnpl2 + lnpl2coo = 0

            chi2( 1) =      2.32
        Prob > chi2 =      0.1275

. test w12 + w12coo = 0
( 1)  w12 + w12coo = 0

            chi2( 1) =      0.92
        Prob > chi2 =      0.3387

```

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo (w12 w12coo = w12_2 w12coo_2) if
sindicato==4, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      88650
Group variable: i                        Number of groups    =      1583
```

```
R-sq:  within = 0.7382                    Obs per group: min =      1
        between = 0.9126                  avg =      56.0
        overall = 0.7794                  max =     103
```

```
corr(u_i, Xb) = 0.2990                    Wald chi2(5)        = 246716.03
                                                Prob > chi2         =    0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12	-.036156	.0016318	-22.16	0.000	-.0393544	-.0329577
w12coo	.0214448	.0121121	1.77	0.077	-.0022944	.045184
E12_1	.8537878	.0017352	492.05	0.000	.850387	.8571887
w12	(dropped)					
w12coo	(dropped)					
lnp12	.0200686	.0070564	2.84	0.004	.0062384	.0338989
lnp12coo	.0432788	.0539535	0.80	0.422	-.0624682	.1490257
_cons	-.0003733	.0006232	-0.60	0.549	-.0015947	.0008482
sigma_u	.08642488					
sigma_e	.18414265					
rho	.1805138	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(1582,87062) =      1.74      Prob > F      = 0.0000
```

```
Instrumented:    w12 w12coo
Instruments:     E12_1 w12 w12coo lnp12 lnp12coo w12_2 w12coo_2
```

```
. lincom lnp12 + lnp12coo
( 1)  lnp12 + lnp12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	.0633474	.0534901	1.18	0.236	-.0414912	.168186

```
. lincom w12 + w12coo
( 1)  w12 + w12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	-.0147113	.0120021	-1.23	0.220	-.0382349	.0088124

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo (w12 w12coo = w12_2 w12coo_2) if
sindicato==1, fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      272270
Group variable: i                        Number of groups    =      5895
```

```
R-sq:  within = 0.6971                    Obs per group: min =      1
        between = 0.9220                  avg =      46.2
        overall = 0.7508                  max =     103
```

```
corr(u_i, Xb) = 0.3016                    Wald chi2(5)       = 612902.67
                                                Prob > chi2        =    0.0000
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12	-.0421344	.0011225	-37.54	0.000	-.0443345	-.0399344
w12coo	.0173453	.0110235	1.57	0.116	-.0042603	.0389509
E12_1	.8313096	.0010696	777.21	0.000	.8292132	.833406
w12	(dropped)					
w12coo	(dropped)					
lnp12	.0929532	.0069782	13.32	0.000	.0792761	.1066302
lnp12coo	.036736	.0952704	0.39	0.700	-.1499906	.2234626
_cons	-.0042756	.0004531	-9.44	0.000	-.0051635	-.0033876
sigma_u	.10504076					
sigma_e	.22167556					
rho	.1833621	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(5894,266370) =      1.74      Prob > F      = 0.0000
```

```
Instrumented:    w12 w12coo
Instruments:     E12_1 w12 w12coo lnp12 lnp12coo w12_2 w12coo_2
```

```
. lincom lnp12 + lnp12coo
( 1)  lnp12 + lnp12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	.1296892	.0950164	1.36	0.172	-.0565396	.3159179

```
. lincom w12 + w12coo
( 1)  w12 + w12coo = 0
```

E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	-.0247891	.0109659	-2.26	0.024	-.0462819	-.0032962

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo tramo2 tramo3 tramo4 r3 r5 r6 r7
r9 (w12 w12coo = w12_2 w12coo_2) if sindicato==1, re
```

```
G2SLS random-effects IV regression      Number of obs      =    272270
Group variable: i                       Number of groups   =     5895
```

```
R-sq:  within = 0.6991                  Obs per group: min =      1
        between = 0.9200                  avg =      46.2
        overall = 0.7516                  max =     103
```

```
corr(u_i, X)      = 0 (assumed)          Wald chi2(12)      = 802969.05
                                                Prob > chi2        =    0.0000
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0326692	.0010662	-30.64	0.000	-.0347589	-.0305796
w12coo		.0235927	.0100148	2.36	0.018	.0039639	.0432214
E12_1		.8546967	.0009791	872.91	0.000	.8527776	.8566158
w12		(dropped)					
w12coo		(dropped)					
lnp12		.0542122	.0062958	8.61	0.000	.0418726	.0665517
lnp12coo		-.0821689	.0587158	-1.40	0.162	-.1972497	.0329119
tramo2		.0264175	.001042	25.35	0.000	.0243753	.0284598
tramo3		.0335592	.0015302	21.93	0.000	.0305601	.0365582
tramo4		.0427163	.0029283	14.59	0.000	.036977	.0484557
r3		-.0097219	.0018357	-5.30	0.000	-.0133198	-.006124
r5		(dropped)					
r6		-.0050054	.0013201	-3.79	0.000	-.0075928	-.0024181
r7		.0013429	.0035503	0.38	0.705	-.0056156	.0083014
r9		.002418	.0012139	1.99	0.046	.0000388	.0047972
_cons		-.0173253	.0010156	-17.06	0.000	-.0193159	-.0153348
sigma_u		.01272466					
sigma_e		.21871781					
rho		.00337331	(fraction of variance due to u_i)				

```
Instrumented:  w12 w12coo
Instruments:   E12_1 w12 w12coo lnp12 lnp12coo tramo2 tramo3 tramo4 r3 r5 r6
r7 r9 w12_2 w12coo_2
```

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0279568	.0583819	-0.48	0.632	-.1423832	.0864697

```
. lincom w12 + w12coo
```

```
( 1)  w12 + w12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0090766	.0099583	-0.91	0.362	-.0285944	.0104413

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo tramo2 tramo3 tramo4 r3 r5 r6 r7
r9 (w12 w12coo = w12_2 w12coo_2) if sindicato==4, re
```

```
G2SLS random-effects IV regression          Number of obs      =      88650
Group variable: i                          Number of groups   =      1583
```

```
R-sq:  within = 0.7393                      Obs per group: min =          1
        between = 0.9113                      avg =         56.0
        overall = 0.7798                      max =         103
```

```
corr(u_i, X)      = 0 (assumed)              Wald chi2(10)      = 307235.50
                                                Prob > chi2        =      0.0000
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0299349	.0015579	-19.21	0.000	-.0329883	-.0268815
w12coo		.0216575	.0115417	1.88	0.061	-.0009639	.0442788
E12_1		.8750655	.0016041	545.51	0.000	.8719214	.8782095
w12		(dropped)					
w12coo		(dropped)					
lnp12		.0242905	.0065627	3.70	0.000	.0114278	.0371531
lnp12coo		.0605252	.0482416	1.25	0.210	-.0340267	.155077
tramo2		.0186754	.0014998	12.45	0.000	.0157358	.0216149
tramo3		.017844	.0021058	8.47	0.000	.0137168	.0219713
tramo4		.0213452	.0048668	4.39	0.000	.0118064	.0308839
r3		.0013463	.0030886	0.44	0.663	-.0047072	.0073999
r5		(dropped)					
r6		(dropped)					
r7		(dropped)					
r9		.0079718	.0030728	2.59	0.009	.0019492	.0139944
_cons		-.0139911	.0029821	-4.69	0.000	-.0198358	-.0081463
sigma_u		.00948798					
sigma_e		.18276162					
rho		.00268787	(fraction of variance due to u_i)				

```
Instrumented:  w12 w12coo
Instruments:   E12_1 w12 w12coo lnp12 lnp12coo tramo2 tramo3 tramo4 r3 r5 r6
r7 r9 w12_2 w12coo_2
```

```
. lincom lnp12 + lnp12coo
```

```
( 1)  lnp12 + lnp12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.0848156	.047838	1.77	0.076	-.0089451	.1785764

```
. lincom w12 + w12coo
```

```
( 1)  w12 + w12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0082774	.0114367	-0.72	0.469	-.0306929	.014138

```
. xtreg E12_asal E12_asal_1 w12_asal w12_asalcoo lnp12 lnp12coo, fe robust
```

Fixed-effects (within) regression

Group variable (i): i

Number of obs = 852512

Number of groups = 16766

R-sq: within = 0.6970

between = 0.8943

overall = 0.7434

Obs per group: min = 1

avg = 50.8

max = 104

F(5,835741) = 65828.15

Prob > F = 0.0000

corr(u_i, Xb) = 0.2861

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
E12_asal							
E12_asal_1		.8274667	.001485	557.20	0.000	.8245561	.8303774
w12_asal		-.0440375	.0010479	-42.02	0.000	-.0460914	-.0419836
w12_asalcoo		-.0028743	.0170326	-0.17	0.866	-.0362576	.0305089
lnp12		.0232639	.0031124	7.47	0.000	.0171637	.0293641
lnp12coo		.0492037	.0741485	0.66	0.507	-.0961249	.1945324
_cons		-.0041316	.0002298	-17.98	0.000	-.004582	-.0036813
sigma_u		.1061409					
sigma_e		.21112585					
rho		.201753	(fraction of variance due to u_i)				

```
. lincom lnp12+lnp12coo
( 1) lnp12 + lnp12coo = 0
```

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
(1)		.0724677	.074084	0.98	0.328	-.0727346	.2176699

```
. lincom w12_asal + w12_asalcoo
( 1) w12_asal + w12_asalcoo = 0
```

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
(1)		-.0469118	.0169987	-2.76	0.006	-.0802287	-.0135949

```
. xtreg E12_asal E12_asal_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 w12_asal
w12_asalcoo lnp12 lnp12coo, re robust
```

Random-effects GLS regression

Group variable (i): i

Number of obs = 852512
Number of groups = 16766

R-sq: within = 0.7015
between = 0.8706
overall = 0.7364

Obs per group: min = 1
avg = 50.8
max = 104

Random effects u_i ~ Gaussian
corr(u_i, X) = 0 (assumed)

Wald chi2(13) = 378628.30
Prob > chi2 = 0.0000

E12_asal	Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
E12_asal_1	.8224622	.0014805	555.53	0.000	.8195605	.8253639
tramo2	.0756513	.0011885	63.65	0.000	.0733218	.0779808
tramo3	.1186725	.0021928	54.12	0.000	.1143747	.1229703
tramo4	.159775	.0054188	29.49	0.000	.1491543	.1703958
r3	-.0094189	.0034153	-2.76	0.006	-.0161128	-.002725
r5	.0101331	.0127489	0.79	0.427	-.0148543	.0351205
r6	.0103758	.0032817	3.16	0.002	.0039438	.0168077
r7	.0286756	.0033671	8.52	0.000	.0220763	.0352749
r9	.0084744	.0033596	2.52	0.012	.0018898	.0150591
w12_asal	-.0417518	.0010214	-40.88	0.000	-.0437537	-.0397498
w12_asalcoo	.0002493	.0164305	0.02	0.988	-.0319538	.0324525
lnp12	.0226045	.0030548	7.40	0.000	.0166172	.0285918
lnp12coo	-.0201629	.073816	-0.27	0.785	-.1648396	.1245137
_cons	-.0485941	.0029573	-16.43	0.000	-.0543902	-.042798
sigma_u	.08125708					
sigma_e	.20927141					
rho	.13101339	(fraction of variance due to u_i)				

```
. lincom lnp12+lnp12coo
( 1) lnp12 + lnp12coo = 0
```

E12_asal	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	.0024416	.0737529	0.03	0.974	-.1421114	.1469946

```
. lincom w12_asal + w12_asalcoo
( 1) w12_asal + w12_asalcoo = 0
```

E12_asal	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	-.0415024	.0163971	-2.53	0.011	-.0736403	-.0093646


```
. xtivreg Eol2 Eol2_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 wol2 wol2coo lnp12
lnp12coo (wol2 wol2coo = wol2_2 wol2coo_2), re
```

```
G2SLS random-effects IV regression      Number of obs      =    841899
Group variable: i                       Number of groups   =    16539
```

```
R-sq:  within = 0.7008                  Obs per group: min =      1
      between = 0.9301                  avg      =    50.9
      overall = 0.7471                  max      =   103
```

```
corr(u_i, X)      = 0 (assumed)          Wald chi2(13)      =   2.49e+06
                                          Prob > chi2         =    0.0000
```

Eol2	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
wol2	-.0353145	.0005707	-61.88	0.000	-.036433	-.034196
wol2coo	.0403711	.0042988	9.39	0.000	.0319456	.0487967
Eol2_1	.8584982	.0005533	1551.71	0.000	.8574138	.8595826
tramo2	.0196394	.0005308	37.00	0.000	.0185991	.0206796
tramo3	.0217536	.0007827	27.79	0.000	.0202194	.0232877
tramo4	.0231176	.0015681	14.74	0.000	.0200442	.026191
r3	-.0046867	.0009265	-5.06	0.000	-.0065027	-.0028707
r5	-.0012217	.0030683	-0.40	0.691	-.0072355	.0047921
r6	.0006662	.0008801	0.76	0.449	-.0010589	.0023912
r7	.0073622	.0009027	8.16	0.000	.005593	.0091315
r9	.0029326	.0009152	3.20	0.001	.0011387	.0047264
wol2	(dropped)					
wol2coo	(dropped)					
lnp12	.019761	.0028858	6.85	0.000	.0141049	.025417
lnp12coo	-.0568504	.0222627	-2.55	0.011	-.1004845	-.0132164
_cons	-.0134654	.000794	-16.96	0.000	-.0150215	-.0119093
sigma_u	0					
sigma_e	.20455564					
rho	0	(fraction of variance due to u_i)				

```
Instrumented:  wol2 wol2coo
Instruments:   Eol2_1 tramo2 tramo3 tramo4 r3 r5 r6 r7 r9 wol2 wol2coo lnp12
lnp12coo wol2_2 wol2coo_2
```

```
. lincom lnp12 + lnp12coo
( 1)  lnp12 + lnp12coo = 0
```

Eol2	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	-.0370895	.0220919	-1.68	0.093	-.0803888	.0062099

```
. lincom wol2 + wol2coo
( 1)  wol2 + wol2coo = 0
```

Eol2	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	.0050566	.0042615	1.19	0.235	-.0032957	.0134089

```
. xtivreg E12 E12_1 w12 w12coo lnp12 lnp12coo crisis crisis1 (w12 w12coo =
w12_2 w12coo_2), fe
```

```
Fixed-effects (within) IV regression      Number of obs      =      842145
Group variable: i                        Number of groups    =      16539
```

```
R-sq:  within = 0.6994                    Obs per group: min =      1
      between = 0.9295                      avg =      50.9
      overall = 0.7459                      max =     103
```

```
corr(u_i, Xb) = 0.3003                    Wald chi2(7)        = 1.92e+06
                                           Prob > chi2         = 0.0000
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
w12		-.0491034	.0006112	-80.33	0.000	-.0503014	-.0479054
w12coo		.036412	.0047818	7.61	0.000	.0270399	.0457841
E12_1		.8299012	.0006069	1367.49	0.000	.8287118	.8310907
w12		(dropped)					
w12coo		(dropped)					
lnp12		.003171	.0031472	1.01	0.314	-.0029974	.0093395
lnp12coo		.0006456	.0247285	0.03	0.979	-.0478214	.0491125
crisis		-.0280506	.0006561	-42.75	0.000	-.0293365	-.0267647
crisis1		.0106384	.0048795	2.18	0.029	.0010747	.0202021
_cons		.0007065	.0002489	2.84	0.005	.0002186	.0011944
sigma_u		.08951853					
sigma_e		.20665664					
rho		.15799453	(fraction of variance due to u_i)				

```
F test that all u_i=0:      F(16538,825599) =      1.63      Prob > F      = 0.0000
```

```
Instrumented:      w12 w12coo
Instruments:      E12_1 w12 w12coo lnp12 lnp12coo crisis crisis1 w12_2 w12coo_2
```

```
. lincom lnp12 + lnp12coo
( 1)  lnp12 + lnp12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		.0038166	.0245274	0.16	0.876	-.0442563	.0518894

```
. lincom w12 + w12coo
( 1)  w12 + w12coo = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0126914	.0047424	-2.68	0.007	-.0219863	-.0033964

```
. lincom crisis + crisis1
( 1)  crisis + crisis1 = 0
```

	E12	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)		-.0174122	.0048356	-3.60	0.000	-.0268897	-.0079346

Anexo 9: Salidas de Stata para el modelo de determinación de una función objetivo para las CTA

```
. xtreg lnw lnw_1 p1 pE1 p2 pE2, fe robust
```

```
Fixed-effects (within) regression      Number of obs   =   1098997
Group variable (i): i                 Number of groups =    21700

R-sq:  within = 0.5527                Obs per group: min =      1
      between = 0.9244                  avg   =    50.6
      overall  = 0.8809                  max   =   116

                                     F(5,1077292)      =   28291.40
corr(u_i, Xb)  = 0.8190                Prob > F        =    0.0000
```

```
-----+-----
               |               Robust
               |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnw_1 |      .7505394   .0020315   369.45  0.000   .7465577   .7545211
p1 |     -.247252   .0212151   -11.65  0.000  -.2888328  -.2056712
pE1 |     .0009246   .0003038     3.04  0.002   .0003291   .00152
p2 |     .0244311   .0023707    10.31  0.000   .0197846   .0290775
pE2 |    -.0001925   .0000143   -13.42  0.000  -.0002206  -.0001644
_cons |     2.038001   .0169583   120.18  0.000   2.004764   2.071239
-----+-----
sigma_u |     .23814772
sigma_e |     .23798266
rho |     .50034669   (fraction of variance due to u_i)
-----+-----
```

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1)  (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))

      F(1, 1077292) =      3.13
      Prob > F =      0.0768
```

```
. nlcom (_b[p1]/(_b[p1]-_b[p2]))
      _nl_1:  _b[p1]/(_b[p1]-_b[p2])
```

```
-----+-----
               |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
_nl_1 |     .9100751   .0105822    86.00  0.000   .8893344   .9308157
-----+-----
```

```
. nlcom (_b[pE1]/(_b[pE1]-_b[pE2]))
      _nl_1:  _b[pE1]/(_b[pE1]-_b[pE2])
```

```
-----+-----
               |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
_nl_1 |     .8276997   .048022   17.24  0.000   .7335783   .9218211
-----+-----
```

```
. test p1 = p2
( 1)  p1 - p2 = 0

      F( 1,1077292) =   161.85
      Prob > F =      0.0000
```

```
. test pE1 = pE2
( 1)  pE1 - pE2 = 0

      F( 1,1077292) =    13.49
      Prob > F =      0.0002
```

```
. xtreg lnw tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355 r369 r371
r384 r390 r520 r571 r621 r628 r629 r631 r711 r712 r721 r832 r921 r929 r931
r932 r933 r934 r935 r951 r959 lnw_1 p1 pE1 p2 pE2, re robust
```

```
Random-effects GLS regression              Number of obs      =    1098997
Group variable (i): i                     Number of groups   =       21700

R-sq:  within = 0.5526                    Obs per group: min =         1
        between = 0.9237                      avg =       50.6
        overall = 0.8825                      max =       116

Random effects u_i ~ Gaussian              Wald chi2(38)       =   191389.99
corr(u_i, X) = 0 (assumed)                 Prob > chi2         =     0.0000
```

	lnw	Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
tramo2		.0032778	.0011356	2.89	0.004	.0010521	.0055035
tramo3		.0212243	.0021638	9.81	0.000	.0169833	.0254653
tramo4		.0252423	.0056656	4.46	0.000	.0141379	.0363466
r312		-.028222	.0179338	-1.57	0.116	-.0633716	.0069276
r313		-.0145255	.0180124	-0.81	0.420	-.0498292	.0207782
r321		.0013425	.018342	0.07	0.942	-.0346071	.0372921
r322		-.0423535	.017089	-2.48	0.013	-.0758472	-.0088597
r324		-.063242	.0275503	-2.30	0.022	-.1172395	-.0092445
r342		.009499	.0150617	0.63	0.528	-.0200213	.0390194
r355		.0485145	.032741	1.48	0.138	-.0156567	.1126857
r369		.0424315	.0245729	1.73	0.084	-.0057305	.0905935
r371		.0230026	.0185736	1.24	0.216	-.013401	.0594062
r384		.0388373	.0392011	0.99	0.322	-.0379955	.1156701
r390		-.0198659	.0208077	-0.95	0.340	-.0606484	.0209165
r520		.0319313	.029698	1.08	0.282	-.0262758	.0901383
r571		.1337519	.0330265	4.05	0.000	.0690212	.1984826
r621		-.0761855	.0142558	-5.34	0.000	-.1041263	-.0482446
r628		-.0730337	.0152763	-4.78	0.000	-.1029747	-.0430926
r629		-.083776	.0145242	-5.77	0.000	-.1122428	-.0553091
r631		-.0503297	.0146073	-3.45	0.001	-.0789595	-.0217
r711		.030023	.0138336	2.17	0.030	.0029096	.0571364
r712		-.0222524	.0301498	-0.74	0.460	-.0813448	.0368401
r721		-.0104938	.0178017	-0.59	0.556	-.0453845	.0243969
r832		-.0115823	.0142956	-0.81	0.418	-.0396012	.0164365
r921		-.1237477	.0180143	-6.87	0.000	-.1590552	-.0884403
r929		.0197926	.0522502	0.38	0.705	-.0826159	.1222011
r931		-.0969103	.0162458	-5.97	0.000	-.1287514	-.0650692
r932		.1097451	.059345	1.85	0.064	-.006569	.2260592
r933		-.0415056	.0146451	-2.83	0.005	-.0702094	-.0128017
r934		-.0773111	.0187176	-4.13	0.000	-.1139968	-.0406253
r935		-.0011448	.1028037	-0.01	0.991	-.2026364	.2003468
r951		-.0287439	.0146959	-1.96	0.050	-.0575473	.0000594
r959		-.0621527	.0167872	-3.70	0.000	-.095055	-.0292504
lnw_1		.7748025	.0018824	411.59	0.000	.771113	.778492
p1		-.0801648	.0141985	-5.65	0.000	-.1079933	-.0523363
pE1		.0006121	.0001086	5.64	0.000	.0003994	.0008249
p2		.0195794	.0023048	8.49	0.000	.015062	.0240967
pE2		-.0001263	.0000159	-7.96	0.000	-.0001574	-.0000952
_cons		1.840014	.0209796	87.70	0.000	1.798895	1.881134
sigma_u		.17091785					
sigma_e		.23797751					
rho		.34029355	(fraction of variance due to u_i)				

```
. hausman fijo
```

	----- Coefficients -----			
	(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
	fijo	.	Difference	S.E.
lnw_1	.7505394	.7748025	-.0242631	.0007638
p1	-.247252	-.0801648	-.1670872	.0157633
pE1	.0009246	.0006121	.0003124	.0002837
p2	.0244311	.0195794	.0048517	.0005549
pE2	-.0001925	-.0001263	-.0000661	.

```

-----
b = consistent under Ho and Ha; obtained from xtreg
B = inconsistent under Ha, efficient under Ho; obtained from xtreg

Test: Ho: difference in coefficients not systematic

      chi2(5) = (b-B)'[(V_b-V_B)^(-1)](b-B)
            =      996.41
Prob>chi2 =      0.0000
(V_b-V_B is not positive definite)

. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1)  (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))

      chi2(1) =      0.39
Prob > chi2 =      0.5332

. nlcom (_b[p1]/(_b[p1]-_b[p2]))
      _nl_1:  _b[p1]/(_b[p1]-_b[p2])

-----+-----
      lnw |      Coef.   Std. Err.      z    P>|z|     [95% Conf. Interval]
-----+-----
      _nl_1 |   .8037041   .0352734    22.79   0.000     .7345696     .8728386
-----+-----

. nlcom (_b[pE1]/(_b[pE1]-_b[pE2]))
      _nl_1:  _b[pE1]/(_b[pE1]-_b[pE2])

-----+-----
      lnw |      Coef.   Std. Err.      z    P>|z|     [95% Conf. Interval]
-----+-----
      _nl_1 |   .8289444   .0309722    26.76   0.000     .76824     .8896487
-----+-----

. test p1 = p2
(1)  p1 - p2 = 0

      chi2( 1) =    49.89
Prob > chi2 =    0.0000

. test pE1 = pE2
(1)  pE1 - pE2 = 0

      chi2( 1) =    45.45
Prob > chi2 =    0.0000

```

```
. reg lnw tramo2 tramo3 tramo4 r312 r313 r321 r322 r324 r342 r355 r369 r371
r384 r390 r520 r571 r621 r628 r629 r631 r711 r712 r721 r832 r921 r929 r931
r932 r933 r934 r935 r951 r959 lnw_1 p1 pE1 p2 pE2, cluster (i) robust
```

```
Linear regression                                     Number of obs = 1098997
                                                         F( 38, 21699) =37745.22
                                                         Prob > F       = 0.0000
                                                         R-squared      = 0.8856
                                                         Root MSE      = .25019

Number of clusters (i) = 21700
```

	lnw	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
tramo2		.0129958	.000859	15.13	0.000	.011312	.0146795
tramo3		.0356554	.0015892	22.44	0.000	.0325404	.0387704
tramo4		.0456073	.0040324	11.31	0.000	.0377035	.053511
r312		-.0005548	.0042272	-0.13	0.896	-.0088404	.0077308
r313		.00226	.0044766	0.50	0.614	-.0065146	.0110345
r321		-.0068552	.0042071	-1.63	0.103	-.0151014	.0013909
r322		-.0144558	.0034882	-4.14	0.000	-.021293	-.0076186
r324		-.0241231	.004593	-5.25	0.000	-.0331258	-.0151204
r342		.0070718	.0035742	1.98	0.048	.0000662	.0140774
r355		.0068934	.0079962	0.86	0.389	-.0087798	.0225666
r369		.0136971	.0054809	2.50	0.012	.0029541	.02444
r371		.0092097	.003931	2.34	0.019	.0015046	.0169149
r384		.0191821	.0066499	2.88	0.004	.0061477	.0322165
r390		.0063487	.005101	1.24	0.213	-.0036496	.016347
r520		.0166271	.0091888	1.81	0.070	-.0013835	.0346378
r571		.0495547	.0099775	4.97	0.000	.0299981	.0691113
r621		-.0168057	.0032106	-5.23	0.000	-.0230987	-.0105127
r628		-.0228343	.0032919	-6.94	0.000	-.0292867	-.0163819
r629		-.017154	.0032885	-5.22	0.000	-.0235998	-.0107082
r631		-.0131781	.0031745	-4.15	0.000	-.0194004	-.0069559
r711		.0201207	.0031884	6.31	0.000	.0138711	.0263702
r712		-.0094085	.0077718	-1.21	0.226	-.0246418	.0058247
r721		.0055013	.0051492	1.07	0.285	-.0045915	.0155941
r832		.0015681	.0034381	0.46	0.648	-.0051708	.008307
r921		-.0451926	.004168	-10.84	0.000	-.0533622	-.037023
r929		.0071788	.0138066	0.52	0.603	-.0198831	.0342406
r931		-.0294071	.0037214	-7.90	0.000	-.0367014	-.0221128
r932		.0258355	.0150826	1.71	0.087	-.0037276	.0553986
r933		-.0086976	.0036259	-2.40	0.016	-.0158045	-.0015906
r934		-.0198585	.0039719	-5.00	0.000	-.0276438	-.0120733
r935		.0104913	.0154301	0.68	0.497	-.0197528	.0407353
r951		-.0024427	.0033398	-0.73	0.465	-.008989	.0041037
r959		-.0114134	.0042156	-2.71	0.007	-.0196763	-.0031505
lnw_1		.9322241	.0011649	800.28	0.000	.9299409	.9345073
p1		-.0104557	.0040468	-2.58	0.010	-.0183878	-.0025236
pE1		.0000936	.0000126	7.41	0.000	.0000688	.0001183
p2		.0049321	.0021468	2.30	0.022	.0007242	.0091399
pE2		3.44e-06	7.44e-06	0.46	0.644	-.0000111	.000018
_cons		.5483419	.0103865	52.79	0.000	.5279835	.5687002

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

```
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

```
F(1, 21699) = 3.97
Prob > F = 0.0463
```

```
. nlcom (_b[p1]/(_b[p1]-_b[p2]))
      _nl_1:  _b[p1]/(_b[p1]-_b[p2])
```

	lnw	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	+						
	_nl_1	.6794804	.1564506	4.34	0.000	.3728258	.9861349

```
. nlcom (_b[pE1]/(_b[pE1]-_b[pE2]))
      _nl_1:  _b[pE1]/(_b[pE1]-_b[pE2])
```

	lnw	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	+						
	_nl_1	1.038122	.0846063	12.27	0.000	.8722878	1.203957

```
. test p1 = p2
( 1)  p1 - p2 = 0
```

```
      F( 1, 21699) =    19.95
      Prob > F =    0.0000
```

```
. test pE1 = pE2
( 1)  pE1 - pE2 = 0
```

```
      F( 1, 21699) =    47.34
      Prob > F =    0.0000
```

```
. xtreg lnw lnw_1 tt p1 pE1 p2 pE2, fe robust
```

Fixed-effects (within) regression

Group variable (i): i

Number of obs = 1098997
Number of groups = 21700

R-sq: within = 0.5607
between = 0.9141
overall = 0.8784

Obs per group: min = 1
avg = 50.6
max = 116

F(6,1077291) = 67687.45
Prob > F = 0.0000

corr(u_i, Xb) = 0.8144

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
lnw_1		.719254	.0022235	323.48	0.000	.714896	.7236119
tt		-.0012569	.0000128	-98.46	0.000	-.0012819	-.0012319
p1		-.0990903	.0209091	-4.74	0.000	-.1400714	-.0581093
pE1		.0007858	.0003047	2.58	0.010	.0001886	.0013831
p2		.035688	.0023372	15.27	0.000	.0311072	.0402687
pE2		-.0001784	.0000151	-11.84	0.000	-.000208	-.0001489
_cons		2.356005	.0189974	124.02	0.000	2.318771	2.393239
sigma_u		.25538112					
sigma_e		.23584324					
rho		.53971102	(fraction of variance due to u_i)				

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

F(1, 1077291) = 1.74
Prob > F = 0.1866

```
. nlcom (_b[p1]/(_b[p1]-_b[p2]))
_nl_1: _b[p1]/(_b[p1]-_b[p2])
```

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
_nl_1		.7352099	.0429795	17.11	0.000	.6509715	.8194483

```
. nlcom (_b[pE1]/(_b[pE1]-_b[pE2]))
_nl_1: _b[pE1]/(_b[pE1]-_b[pE2])
```

		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
_nl_1		.8149379	.0598276	13.62	0.000	.6976779	.9321979

```
. test p1 = p2
(1) p1 - p2 = 0
```

F(1,1077291) = 41.01
Prob > F = 0.0000

```
. test pE1 = pE2
(1) pE1 - pE2 = 0
```

F(1,1077291) = 9.99
Prob > F = 0.0016

```

. xtreg lnw lnw_1 lnwpl p1 pE1 p2 pE2, fe robust

Fixed-effects (within) regression              Number of obs   =   1098997
Group variable (i): i                        Number of groups =    21700

R-sq:  within = 0.5530                      Obs per group: min =      1
        between = 0.7472                      avg =      50.6
        overall = 0.6896                      max =     116

corr(u_i, Xb) = -0.0540                      F(6,1077291)     =   25673.78
                                                Prob > F         =    0.0000

-----+-----
            |               Robust
            |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnw_1 |      .7496387   .0020369   368.03   0.000   .7456464   .7536309
lnwpl |      .2895456   .0116897   24.77   0.000   .2666341   .3124571
p1 |     -.0920025   .023208   -3.96   0.000   -.1374894   -.0465155
pE1 |      .0004545   .0002986    1.52   0.128   -.0001308   .0010398
p2 |      .0244789   .0023712   10.32   0.000   .0198314   .0291264
pE2 |     -.0001928   .0000143  -13.45   0.000   -.0002209   -.0001647
_cons |      2.004287   .0167834   119.42   0.000   1.971392   2.037182
-----+-----
sigma_u |      .34571747
sigma_e |      .23791218
rho |      .67862075   (fraction of variance due to u_i)
-----+-----

. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1)  (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))

            F(1, 1077291) =          0.45
            Prob > F =          0.5005

. nlcom (_b[p1]/(_b[p1]-_b[p2]))
      _nl_1:  _b[p1]/(_b[p1]-_b[p2])

-----+-----
            |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      _nl_1 |      .7898471   .0448328   17.62   0.000   .7019762   .8777179
-----+-----

. nlcom (_b[pE1]/(_b[pE1]-_b[pE2]))
      _nl_1:  _b[pE1]/(_b[pE1]-_b[pE2])

-----+-----
            |               Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      _nl_1 |      .7020996   .1382857    5.08   0.000   .4310643   .9731348
-----+-----

. test p1 = p2
(1)  p1 - p2 = 0

            F( 1,1077291) =    24.92
            Prob > F =    0.0000

. test pE1 = pE2
(1)  pE1 - pE2 = 0

            F( 1,1077291) =     4.69
            Prob > F =    0.0304

```

```
. xtreg lnw lnw_1 p1 pE1 p2 pE2 if ciiul==3, fe robust
```

Fixed-effects (within) regression

Number of obs	=	200809
Group variable (i): i	Number of groups	= 3564

R-sq: within = 0.5436 Obs per group: min = 1

between = 0.9598	avg = 56.3
overall = 0.8673	max = 116

corr(u_i, Xb) = 0.8441

F(5,197240)	=	5109.34
Prob > F	=	0.0000

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
lnw_1		.7480776	.0047496	157.50	0.000	.7387685	.7573866
p1		-.0579212	.0474234	-1.22	0.222	-.1508699	.0350275
pE1		.0004028	.0012261	0.33	0.743	-.0020004	.002806
p2		-.0061335	.0055581	-1.10	0.270	-.0170272	.0047601
pE2		.0001223	.0000316	3.87	0.000	.0000604	.0001842
_cons		2.104605	.0407925	51.59	0.000	2.024652	2.184557
sigma_u		.20469967					
sigma_e		.26483621					
rho		.37399045	(fraction of variance due to u_i)				

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

```
F(1, 197240) = 0.03
Prob > F = 0.8652
```

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 0
(1) (_b[p1]/(_b[p1]-_b[p2])) = 0
```

```
F(1, 197240) = 48.01
Prob > F = 0.0000
```

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 1
(1) (_b[p1]/(_b[p1]-_b[p2])) = 1
```

```
F(1, 197240) = 0.54
Prob > F = 0.4631
```

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
```

```
F(1, 197240) = 0.56
Prob > F = 0.4526
```

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
```

```
F(1, 197240) = 0.05
Prob > F = 0.8197
```

```
. xtreg lnw lnw_1 p1 pE1 p2 pE2 if ciiul==7, fe robust
```

Fixed-effects (within) regression

Group variable (i): i

Number of obs = 259061

Number of groups = 4519

R-sq: within = 0.5737

between = 0.9349

overall = 0.8484

Obs per group: min = 1

avg = 57.3

max = 116

corr(u_i, Xb) = 0.6665

F(5,254537) = 20666.21

Prob > F = 0.0000

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
lnw_1		.7240683	.0039223	184.60	0.000	.7163806	.7317559
p1		-.7138493	.0288871	-24.71	0.000	-.7704672	-.6572314
pE1		.0013323	.0000911	14.63	0.000	.0011538	.0015109
p2		-.4043177	.0086157	-46.93	0.000	-.4212043	-.3874312
pE2		-.0003596	.0000332	-10.83	0.000	-.0004247	-.0002945
_cons		2.80355	.0406531	68.96	0.000	2.723871	2.883229
sigma_u		.23977794					
sigma_e		.23954127					
rho		.50049375	(fraction of variance due to u_i)				

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

F(1, 254537) = 142.18

Prob > F = 0.0000

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 0
(1) (_b[p1]/(_b[p1]-_b[p2])) = 0
```

F(1, 254537) = 358.12

Prob > F = 0.0000

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 1
(1) (_b[p1]/(_b[p1]-_b[p2])) = 1
```

F(1, 254537) = 114.89

Prob > F = 0.0000

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
```

F(1, 254537) = 1737.53

Prob > F = 0.0000

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
```

F(1, 254537) = 126.58

Prob > F = 0.0000

```
. xtreg lnw lnw_1 p1 pE1 p2 pE2 if ciiul==9, fe robust
```

Fixed-effects (within) regression

Group variable (i): i

Number of obs = 215189

Number of groups = 4043

R-sq: within = 0.6233

between = 0.9405

overall = 0.9108

Obs per group: min = 1

avg = 53.2

max = 116

corr(u_i, Xb) = 0.8330

F(5,211141) = 22929.62

Prob > F = 0.0000

		Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
lnw_1		.7615954	.0044103	172.69	0.000	.7529513	.7702395
p1		.0817106	.0452197	1.81	0.071	-.0069189	.1703401
pE1		.001322	.0009871	1.34	0.180	-.0006127	.0032566
p2		.2727411	.006206	43.95	0.000	.2605774	.2849047
pE2		-.0000162	.0000304	-0.53	0.596	-.0000758	.0000435
_cons		1.676724	.0315679	53.11	0.000	1.614852	1.738597
sigma_u		.22827391					
sigma_e		.20967685					
rho		.54238739	(fraction of variance due to u_i)				

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = (_b[p1]/(_b[p1]-_b[p2]))
```

F(1, 211141) = 17.94

Prob > F = 0.0000

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 0
(1) (_b[p1]/(_b[p1]-_b[p2])) = 0
```

F(1, 211141) = 1.60

Prob > F = 0.2054

```
. testnl (_b[p1]/(_b[p1]-_b[p2])) = 1
(1) (_b[p1]/(_b[p1]-_b[p2])) = 1
```

F(1, 211141) = 17.86

Prob > F = 0.0000

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 0
```

F(1, 211141) = 1673.42

Prob > F = 0.0000

```
. testnl (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
(1) (_b[pE1]/(_b[pE1]-_b[pE2])) = 1
```

F(1, 211141) = 0.25

Prob > F = 0.6171

Anexo: Test de igualdad funciones de Supervivencia:

Incluye microempresas

```
. sts test cta

      failure _d:  mue
    analysis time _t:  temp
    enter on or after:  time entra
              id:  i

Log-rank test for equality of survivor functions
```

cta	Events observed	Events expected
0	6078	6058.65
1	28	47.35
Total	6106	6106.00

```

      chi2(1) =      8.09
    Pr>chi2 =     0.0044
```

Excluye microempresas

```
. sts test cta if tramo!=1

      failure _d:  mue
    analysis time _t:  temp
    enter on or after:  time entra
              id:  i

Log-rank test for equality of survivor functions
```

cta	Events observed	Events expected
0	751	749.71
1	19	20.29
Total	770	770.00

```

      chi2(1) =      0.09
    Pr>chi2 =     0.7703
```

```
. sts test cta if tramo!=1, wilcoxon
```

```
      failure _d:  mue
    analysis time _t:  añotemp
    enter on or after:  time entral
              id:  i
```

Wilcoxon (Breslow) test for equality of survivor functions

cta	Events observed	Events expected	Sum of ranks
0	751	749.71	2104
1	19	20.29	-2104
Total	770	770.00	0

```

      chi2(1) =      0.12
    Pr>chi2 =     0.7285
```